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## Procedure TEST\_COMPOR

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### 1 Goal

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This macro-order makes it possible to test the mechanical laws of behavior from the point of view of the robustness and reliability:

- in the mechanical case, the test implements a simulation of a way of multiaxial loading on a material point, with an aim of checking the robustness of the digital integration of the behaviors tested, of their insensitivity compared to a change of units, invariance of the result compared to a total rotation applied to the problem, the accuracy of the tangent matrix;
- in the case as of variables of orders (temperature,...) this test checks the good taking into account of the variables of order whose the coefficients depend on the model, as well as terms of deformation who result from it.

## 2 Syntax

```

TEST_COMPOR (
  ◇ OPTION      = / 'THER',                                [DEFECT]
                  / 'MECA',
  ◆ BEHAVIOR     = _F (see the document [U4.51.11] ),
  ◇ NEWTON       = _F ( to see the document [U4.51.03]),
  ◇ CONVERGENCE = _F (
    /RESI_GLOB_RELA = 1.E-6,                                [DEFECT]
    /|RESI_GLOB_MAXI = resmax,                               [R]
    | RESI_GLOB_RELA = resrel,                               [R]
    ITER_GLOB_MAXI  = /10,                                   [DEFECT]
                  /maglob,                                  [I]
  ),
  if OPTION = 'THER'
    ◆ MATER      = to subdue,                                [to
subdue]
    ◆ LIST_MATER = to subdue,
[l_mater]
    ◆ ALPHA      = alpha,                                    [function]
    ◆ YOUNG      = Young,                                    [function]
    ◆ TEMP_INIT  = temp_init,                                [R]
    ◆ TEMP_FIN   = temp_fin,                                [R]
    ◆ NB_VARI    = nb_vari,                                  [I]
    ◇ SUPPORT    = /'NOT'                                    [DEFECT]
                  /'ELEMENT'
    ◇ INST_FIN   = temp_fin,                                  [R]
    ◇ VARI_TEST  = vari_test,                                [KN]
    ◇ D_SIGM_EPSI = d_sigm_epsilon,                          [function]
    ◇ C_PRAG     = c_prag,                                    [function]

  if OPTION = 'MECA'
    ◆ LIST_MATER = to subdue,
    ◆ FISH       = fish,                                      [R]
    ◆ YOUNG      = Young,                                    [R]
    ◇ LIST_NPAS  = list_npas,                                [l_I]
    ◇ LIST_TOLE  = list_tole,                                [l_R]
    ◇ PREC_ZERO  = prec_zero,                                [l_R]
    ◇ VARI_TEST  = vari_test,                                [KN]
    ◇ SUPPORT    = /'NOT'                                    [DEFECT]
                  /'ELEMENT'
    ◇ MODELING   = /'3D'                                     [DEFECT]
                  /'C_PLAN'
    ◇ SOLID MASS = /'ANGL_REP'                               [R]
                  /'ANGL_EULER'
    ◇ ANGLE      = angz,                                      [R]
    ◇ VERI_MATR_OPTION = _F (
      ◇ VALE_PERT_RELA = [R]
      ◇ PRECISION      = [R]
      ◇ PREC_ZERO      = [R]
    ),
    ◇ INFORMATION = / 1, [DEFECT]

```

/ 2,

)

## 3 Operands

### 3.1 Words-keys COMPORTEMENT/NEWTON

The syntax of these keywords is described in the document [U4.51.03] and [U4.51.11].

### 3.2 Keyword CONVERGENCE

◇ CONVERGENCE = \_F ( )

If none of the two operands following is present, then all occurs like if: RESI\_GLOB\_RELA = 1.E-6.

#### 3.2.1 Operand RESI\_GLOB\_RELA/RESI\_GLOB\_MAXI

◇ |RESI\_GLOB\_RELA = resrel , [R]

The algorithm continues the total iterations as long as:

$$\max_{i=1,\dots,nbddl} |F_i^n| > \text{resrel} \cdot \max |L|$$

where  $F^n$  is the residue of the iteration  $n$  and  $L$  the vector of the imposed loading and the reactions of supports (cf [R5.03.01] for more details).

When the loading and the reactions of support become worthless, i.e. when  $L$  is null (for example in the case of a total discharge), one tries to pass from the relative convergence criteria RESI\_GLOB\_RELA with the absolute convergence criteria RESI\_GLOB\_MAXI. This operation is transparent for the user (message of alarm emitted in the file .mess). When the vector  $L$  becomes again different from zero, one passes by again automatically with the relative convergence criteria RESI\_GLOB\_RELA.

However, this mechanism of swing cannot function with the first step of time. Indeed, to find a value of RESI\_GLOB\_MAXI reasonable in an automatic way (since the user did not inform it), one needs to have had at least a step converged on a mode RESI\_GLOB\_RELA. Consequently, if the loading is null as of the first moment, calculation stops. The user must already then check that the null loading is normal from the point of view of the modeling which it carries out, and if such is the case, to find another convergence criteria ( RESI\_GLOB\_MAXI for example).

If this operand is absent, the test is carried out with the value by default, except if RESI\_GLOB\_MAXI is present.

◇ |RESI\_GLOB\_MAXI = resmax , [R]

The algorithm continues the total iterations as long as:

$$\max_{i=1,\dots,nbddl} |F_i^n| > \text{resmax}$$

where  $F^n$  is the residue of the iteration  $n$  (Cf [R5.03.01] for more details). If this operand is absent, the test is not carried out.

If RESI\_GLOB\_RELA and RESI\_GLOB\_MAXI both are present, the two tests are carried out.

#### 3.2.2 Operand ITER\_GLOB\_MAXI

◇ ITER\_GLOB\_MAXI = /10 [DEFECT]  
/maglob

Maximum iteration count carried out to solve the total problem at every moment (10 by defaults).

### 3.3 OPTION= ' THER '

Thermomechanical test allowing of to validate the taking into account of the temperature variation in the laws of behavior (cf. V6.07.108). These tests make it possible to check the two following points:

- Thermal dilation is well calculated (with taking into account of the variation of thermal dilation with the temperature)
- The variation of the coefficients material with the temperature is correct, in particular in the incremental resolution of the behavior.

It is about a double simulation, the first in thermomechanics, the second in pure mechanics. The first will be validated in comparison with the second, by supposing of course that the behavior tested provides a correct solution in pure mechanics.

The first simulation (solution which one seeks to validate) consists in applying a temperature variation to a material point, by blocking for example the deformations according to  $x : \varepsilon_{xx} = 0$ . The imposed temperature is increasing linearly according to time.

The second simulation (which must be equivalent to the first) consists in applying to the same material point a deformation imposed according to  $x : \varepsilon_{xx} = -\varepsilon^{th} = -\alpha(T)(T - T_{ref})$ , in pure mechanics. Indeed, for any behavior (while supposing the additive decomposition of the deformations):

$$\sigma_{xx} = E(T)(\varepsilon_{xx} - \varepsilon^{th} - \varepsilon_{xx}^p)$$

in the first case,  $\sigma_{xx} = E(T)(0 - \varepsilon^{th} - \varepsilon_{xx}^p)$ , and in the second:  $\sigma_{xx} = E(T)(\varepsilon - \varepsilon_{xx}^p)$ .

It is thus enough, at every moment to apply, for mechanical calculation,  $\varepsilon_{xx} = -\varepsilon^{th} = -\alpha(T)(T - T_{ref})$ .

Moreover, to get the same results in both cases, it is necessary, with each step of time of the second simulation, to carry out pure mechanical calculation with coefficients whose values are interpolated according to the temperature at the moment running (operand list\_mater).

### 3.3.1 Operand MATER

◆ `MATER = to subdue,`

This keyword makes it possible to inform the name of material (`to subdue`) defined by `DEFI_MATERIAU [U4.43.01]`, where are provided the parameters necessary to the behavior chosen, functions of the temperature.

### 3.3.2 Operand LIST\_MATER

◆ `LIST_MATER = list_mater,`

This keyword makes it possible to inform a material list (`list_mater`), defined by `DEFI_MATERIAU [U4.43.01]`, whose constant parameters correspond to those of subduing, interpolated according to the temperature.

### 3.3.3 Operands ALPHA/YOUNG

◆ `ALPHA = alpha, [function]`  
◆ `YOUNG = Young, [function]`

These keyword make it possible to inform the Young modulus and the thermal dilation coefficient functions of the temperature, in order to calculate the thermal strains and the corresponding stresses.

### 3.3.4 Operands TEMP\_INIT / TEMP\_FIN / INST\_FIN

```
◆ TEMP_INIT = temp_init, [R]
◆ TEMP_FIN = temp_fin, [R]
◇ INST_FIN = temp_fin, [R]
```

These keyword make it possible to inform the temperatures initial and final, as well as intant final transient (correspondent with `temp_fin`), being worth 1. by default.

### 3.3.5 Operands NB\_VARI/VARI\_TEST

```
◆ NB_VARI = nb_vari, [I]
◇ VARI_TEST = vari_test, [KN]
```

These keyword make it possible to inform the number of internal variables of the behavior chosen, as well as the internal variables to test (by defaults, all the internal variables are tested).

### 3.3.6 Operands D\_SIGM\_EPSI / C\_PRAG

```
◇ D_SIGM_EPSI = d_sigm_epsilon, [function]
◇ C_PRAG = c_prag, [function]
```

In the typical case of behaviours with linear kinematic work hardening, these keywords make it possible to define the slope of kinematic work hardening according to the temperature. This slope is worth:

- `d_sigm_epsilon` for the behavior `VMIS_CINE_LINE`,
- `c_prag` for the behaviors `VMIS_ECMI_LINE`, `VMIS_ECMI_TRAC`.

### 3.3.7 Operand SUPPORT

```
◇ SUPPORT = / 'NOT' [DEFECT]
           / 'ELEMENT'
```

See [U4.51.12]

## 3.4 OPTION = 'MECA'

Pure mechanical test, which implements a simulation of a way of loading in deformations in a material point, i.e. on a model such as the stress and strain states are homogeneous at any moment. It thus makes it possible to test a certain number of models of behavior, with an aim of checking the robustness of their digital integration, their insensitivity compared to a change of units, invariance compared to a total rotation applied to the problem, the accuracy of the tangent matrix. This test proceeds, for each modeling, with an intercomparison between the reference solution (obtained with a step of very fine time), the solution with a fairly coarse discretization, the solution with effect of the temperature (or another variable of order), the solution by changing the system of units ( *Pa* in *Mpa* ), and that obtained after rotation or symmetry (see the document [v6.07.101]).

### 3.4.1 Operand LIST\_MATER

```
◆ LIST_MATER = list_mater,
```

This keyword makes it possible to inform a list of 2 materials (`list_mater`), defined by `DEFI_MATERIAU` [U4.43.01], whose constant parameters are evaluated either in *Pa* , that is to say in *Mpa* .

## 3.4.2 Operands FISH / YOUNG

- ◆ FISH = fish, [R]
- ◆ YOUNG = Young, [R]

These keyword make it possible to inform the Young modulus and the Poisson's ratio.

## 3.4.3 Operands LIST\_NPAS/LIST\_TOLE

- ◇ LIST\_NPAS = list\_npas, [l\_I]
- ◇ LIST\_TOLE = list\_tole, [l\_R]

These keyword make it possible to inform the discretization in time and the tolerances corresponding.

By default, `list_npas` = [1,1,1,1,1,5,25] (4 "equivalent" problems with the coarsest discretization, is 1 increment by segment of loading, then variation of the discretization: 1 then 5 then 25 increments per segment).

By default, `list_tole` =  $4 \times [1.E - 10] + [1.E - 1] + 2 * [1.E - 2] + [1.E - 8]$ . The precision necessary for the problems equivalent is voluntarily very small (if not there is a risk of bug). The following precise details are looser, since the components are in general sensitive to the discretization in time. The denière value is the tolerance on the tangent matrix.

## 3.4.4 Operand PREC\_ZERO

- ◇ PREC\_ZERO = prec\_zero, [l\_R]

This keyword make it possible to provide one zero "digital" for each variable tested, in order to calculate a significant relative error. `prec_zero` thus the same length has as `vari_test`. By default this list is worth:  $3 \times 1.E - 10$ .

## 3.4.5 Operand VARI\_TEST

- ◇ VARI\_TEST = vari\_test, [KN]

List of the components tested, presumedly invariant in the problem equivalents (rotation, change of unit). By default `vari_test` = ('V1', 'VMIS', 'TRACE').

## 3.4.6 Operand SUPPORT

- ◇ SUPPORT = / 'NOT' [DEFECT]  
/ 'ELEMENT'

See [U4.51.12]

## 3.4.7 Keyword MODELING

The keyword `MODELING` allows, in the case `SUPPORT=' ELEMENT'`, to carry out calculation on an element 3D or an element 2D, in plane constraints. It is not available in the case `SUPPORT=' POINT'`, because it is enough to impose a zero value on the components corresponding to the plane constraints or the plane deformations to get the same result.

## 3.4.8 Keyword ANGLE

This keyword makes it possible to specify an angle (in degrees) to carry out an overall rotation around *Z* applied at the same time to the loading, the grid, and the examination. This especially makes it possible to check the reliability of the integration of the behavior, as in the tests `COMP001`, `COMP002`.

By default, rotation is identically worthless.

In the case of materials having an intrinsic orientation (orthotropism, behaviors crystalline), it is advisable to also use the keyword `SOLID MASS`, with a first value of angle identical to that provided under `ANGLE`.

### 3.4.9 Keyword `SOLID MASS / ANGL_EULER/ANGL_REP`

These keyword make it possible to lay down an intrinsic orientation in the material (orthotropism, behaviors crystalline), and make it possible to appeal in the macro-order the keyword `SOLID MASS` of `AFFE_CARA_ELEM` [U4.42.01].

By default, the orientation is worthless, and one does not call on `AFFE_CARA_ELEM`.

### 3.4.10 Keyword `VERI_MATR_OPTION`

This keyword is used to gather the operands which manage the behavior of `TEST_COMPOR` during the checking of the analytical tangent matrix with that obtained by digital disturbance.

### 3.4.11 Operand `VALE_PERT_RELA`

◇ `VALE_PERT_RELA` = [R]

Allows to define the value of the digital relative disturbance which intervenes in the calculation of the disturbed matrix. For more detail to refer to [U4.51.11].

### 3.4.12 Operand `PRECISION`

◇ `PRECISION` = [R]

The operand `PRECISION` allows to define the value in the top of which it is considered that the analytical matrix and the disturbed matrix are different.

### 3.4.13 Operand `PREC_ZERO`

◇ `PREC_ZERO` = [R]

Below `PREC_ZERO`, one does not compare the values of the terms of the tangent matrix. That makes it possible to manage the situations where the terms of the disturbed tangent matrix are very close to zero.

## 3.5 Operand `INFORMATION`

Specify the detail of the information printed in the file message.

In mode `INFO=2`, one prints all the tables produced by `SIMU_POINT_MAT`.

## 4 Example

### 4.1 `OPTION=' MECA '`

See tests `COMP001` [V6,07,101], `COMP002` [V6,07,102]

```
Pa #unities
STEEL [0] =DEFI_MATERIAU (ELAS=_F (E=YOUNG_Pa,
                                NU=POISSON,
                                ALPHA=11.8e-6),
                          ECRO_LINE=_F (D_SIGM_EPSI=pente_Pa,
```



```

                                SY=SY_Pa,)),);
#unities in MPa
STEEL [1] =DEFI_MATERIAU (ELAS=_F (E=YOUNG,
                                NU=POISSON,
                                ALPHA=11.8e-6),
                                ECRO_LINE=_F (D_SIGM_EPSI=pente,
                                SY=SY,)),)

compor=' VMIS_ISOT_LINE'
tabresu=TEST_COMPOR (OPTION=' MECA',
                    COMPORTEMENT=_F (RELATION=compor,)),
                    NEWTON=_F (REAC_ITER=1),
                    LIST_MATER=ACIER,
                    VARI_TEST= ('V1', 'VMIS', 'TRACE'),
                    YOUNG=YOUNG, POISSON=POISSON,
                    )

```

#### 4.2 OPTION=' THER'

```

See tests COMP008*
TREF = 0.
Tmax = 500.
YOUN=DEFI_FONCTION (NOM_PARA=' TEMP', VALE= (TREF, 200000. ,
                                Tmax, 100000. ,
                                ),,);
ALPH=DEFI_FONCTION (NOM_PARA=' TEMP', VALE= (TREF, 1.E-5,
                                Tmax, 2.E-5,
                                ),,);
SIGY=DEFI_FONCTION (NOM_PARA=' TEMP', VALE= (TREF, 100. ,
                                Tmax, 50. ,
                                ),,);
DSDE=DEFI_FONCTION (NOM_PARA=' TEMP', VALE= (TREF, 10000. ,
                                Tmax, 5000. ,
                                ),,);
MATERI=DEFI_MATERIAU (ELAS_FO=_F (E=YOUN, NU=ZERO,
                                TEMP_DEF_ALPHA=TREF,
                                ALPHA=ALPH,)),
                                ECRO_LINE_FO=_F (D_SIGM_EPSI=DSDE,
                                SY=SIGY,)),
                                );
LMAT2 = [Nun] * (NCAL)
time=0.
for I in arranges (NCAL):
    timem = time
    time = timem + tfin/NCAL
    Ti = T0 + time /tfin * (Tmax - T0)
    LMAT2 [I] =DEFI_MATERIAU (ELAS =_F (E=YOUN (Ti),
                                NU=0.,
                                ALPHA=0.)),
                                ECRO_LINE=_F (D_SIGM_EPSI=DSDE (Ti),
                                SY=SIGY (Ti)),),)

compor=' VMIS_ISOT_LINE'

tabresu=TEST_COMPOR (
                    MATER=MATERI, COMPORTEMENT=_F (RELATION=compor),
                    LIST_MATER=LMAT2, ALPHA=ALPH, YOUNG=YOUN, TEMP_INIT=TREF,
                    TEMP_FIN=Tmax,
                    NEWTON=_F (REAC_ITER=1),
                    NB_VARI=2, VARI_TEST= ('V1', 'V2'),
                    )

```