

## SZLZ107 - Criteria of starting in fatigue under multiaxial loadings for a localization criticizes structure

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### Summarized:

The purpose of this test is the multiaxial computation of the criteria of fatigue for the periodic loadings and NON-periodicals by means of `POST_FATIGUE` for a critical localization of structure. The purpose of this benchmark is to find same the computation results got by `CALC_FATIGUE`.

modelization A	criteria <code>CROSSLAND</code> , <code>DANG VAN-PAPADOPOULOS</code> and formulates modelization
of it B	criteria in formulas (to find the results of benchmark <code>SSLV135D</code> ), " <code>MATAKE_MODI_AC</code> ", <code>DANG_VAN_MODI_AC</code> (to find the results of benchmarks <code>SSLV135A</code> );
modelization C	criteria in formulas (to find the results of benchmark <code>SSLV135E</code> );
modelization D	criteria in formulas (to find the results of benchmark <code>SSLV135F</code> );
modelization E	criteria in formulas, " <code>MATAKE_MODI_AV</code> ", <code>DANG_VAN_MODI_AV</code> , <code>FATESOCI_MODI_AV</code> (to find the results of benchmarks <code>SSLV135B</code> )
modelization F	criteria <code>MATAKE_MODI_AC</code> , <code>DANG_VAN_MODI_AC</code> , <code>MATAKE_MODI_AV</code> , <code>DANG_VAN_MODI_AV</code> , <code>FATESOCI_MODI_AV</code> . One tests the change of the direction of the critical plane on which the damage or the shears is maximum

results provided by the operator `POST_FATIGUE` are completely satisfactory.

## 1 Problem of reference

### 1.1 Modelization To

the analysis consists in determining the criterion of CROSSLAND and the criterion of DANG VAN - PAPADOPOULOS in a point of a structure subjected to a radial periodic multiaxial loading.

**Criterion of CROSSLAND:**

$$\tau_a + a P_{max} - b \leq 0 \text{ where:}$$

$$\tau_a = \frac{1}{2} \text{Max}_{0 \leq t_0 \leq T} \text{Max}_{0 \leq t_1 \leq T} \|\tilde{s}(t_1) - \tilde{s}(t_0)\| = \frac{1}{2} \text{Max}_{0 \leq t_0 \leq T} \text{Max}_{0 \leq t_1 \leq T} \sqrt{\frac{1}{2}(\tilde{s}_{11}^2 + \tilde{s}_{22}^2 + \tilde{s}_{33}^2 + 2\tilde{s}_{12}^2 + 2\tilde{s}_{13}^2 + 2\tilde{s}_{23}^2)}$$

amplitude de scission

avec  $\tilde{s}$  déviateur du tenseur des contraintes  $\sigma$

$$P_{max} = \text{Max}_{0 \leq t \leq T} \left( \frac{1}{3} \text{trace}(\sigma) \right) = \text{maximum hydrostatic pressure}$$

$$a = \left( \tau_0 - \frac{d_0}{\sqrt{3}} \right) / \frac{d_0}{3} \text{ and } b = \tau_0$$

with  $\tau_0$  = limit of endurance in alternate pure shears

$d_0$  = limit of endurance in alternate pure traction and compression

the criterion is:  $R_{crit} = \tau_a + a P_{max} - b$

If  $R_{crit}$  is negative or null, there is no damage. If  $R_{crit}$  is positive, there is likely to be damage.

**Criterion of DANG VAN-PAPADOPOULOS:**

$$K^* + a P_{max} - b \leq 0$$

where  $K^* = R / \sqrt{2}$  where  $R$  radius of the smallest sphere circumscribed with the way of loading within the space of stress deviators  $\tilde{s}$ .

$$R = \text{Max}_{0 \leq t \leq T} \sqrt{(\tilde{s}(t) - C^*) : (\tilde{s}(t) - C^*)} \text{ where } C^* \text{ is the center of the hypersphère}$$

$$C^* = \text{Min}_{C \in K} \text{Max}_{0 \leq t \leq T} \sqrt{(\tilde{s}(t) - C) : (\tilde{s}(t) - C)}$$

$$P_{max} = \text{Max}_{0 \leq t \leq T} \left( \frac{1}{3} \text{trace}(\sigma) \right) = \text{maximum hydrostatic pressure}$$

$$a = \left( \tau_0 - \frac{d_0}{\sqrt{3}} \right) / \left( \frac{d_0}{3} \right) \text{ and } b = \tau_0$$

with  $\tau_0$  = limit of endurance in alternate pure shears

$d_0$  = limit of endurance in alternate pure traction and compression

the criterion is:  $R_{crit} = K^* + a P_{max} - b$

If  $R_{crit}$  is negative or null, there is no damage. If  $R_{crit}$  is positive, there is likely to be damage.

## 1.1.1 Material properties

$\tau_0$  = limit of endurance in alternate pure shears = 352. MPa

$d_0$  = limit of endurance in alternate pure traction and compression = 540.97 MPa

## 1.1.2 History of loading

$t$	1.	2.	3.
$\sigma_{xx}(t)$	411.	0.	- 411.
$\sigma_{xy}(t)$	205.	0.	- 205.
$\sigma_{yy}(t) = \sigma_{zz}(t) = \sigma_{xz}(t) = \sigma_{yz}(t)$	0.	0.	0.

The loading is considered periodic.

## 1.2 Modelization B

the material properties and the load history identical and are obtained starting from benchmarks SSLV135A.

## 1.3 Modelization C

the material properties and the load history identical and are obtained starting from benchmarks SSLV135E .

## 1.4 Modelization D

the material properties and the load history identical and are obtained starting from benchmark SSLV135F .

## 1.5 Modelization E

the material properties and the load history identical and are obtained starting from benchmarks SSLV135 B .

## 1.6 Modelization F

the material properties and the load history are identical and obtained starting from benchmarks SSLV135 G

## 2 Reference solution

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### 2.1 Modelization A

#### 2.1.1 Méthode de calcul used for the reference solution

the results of reference result from the thesis of I. PAPADOPOULOS [bib1]. For the criterion of **CROSSLAND**, one can also obtain them manually.

The loading being radial the two criteria must provide the same results.

#### 2.1.2 Results of Reference

For **the criterion of CROSSLAND**, the value of the amplitude of scission, the value of the maximum hydrostatic pressure and the value of the criterion are tested:

$$\tau_a = 313.579 \text{ Mpa} \quad P_{max} = 137. \text{ Mpa} \quad R_{crit} = -8.281$$

For **the criterion of DANG VAN-PAPADOPOULOS**, one tests the value of the radius of the smallest sphere circumscribed with the loading, the value of the maximum hydrostatic pressure and the value of the criterion:

$$K^* = 313.579 \text{ Mpa} \quad P_{max} = 137. \text{ Mpa} \quad R_{crit} = -8.281$$

### 2.2 Modelizations B, C, D, E and F

One bases oneself on the modelizations calculated by `CALC_FATIGUE` in benchmark SSLV135. See [V3.04.135] for the reference solutions.

### 2.3 Uncertainty on the solution

Solutions analytical or obtained from `CALC_FATIGUE`.

### 2.4 Bibliographical references

1. Thesis of I. PAPADOPOULOS "Tires polycyclic metals: a new approach" (1987) ENPC.

## 3 Modelization A

### 3.1 Characteristic of the modelization

One tests criteria **CROSSLAND** , **DANG VAN-PAPADOPOULOS** and in formula.

### 3.2 Characteristics of the mesh

The mesh is not necessary.

### 3.3 Quantities tested and results

For criteria called by the names:

Standard	identification of reference	Value of reference
<b>Criterion of CROSSLAND</b>		
PRES_HYDRO_MAX ( $P_{max}$ )	" SOURCE_EXTERNE "	137.
AMPLI_CISSION ( $\tau_a$ )	" SOURCE_EXTERNE "	313.579
Criterion ( $R_{crit}$ )	" SOURCE_EXTERNE "	- 8.281
<b>Criterion of DANG VAN-PAPADOPOULOS</b>		
PRES_HYDRO_MAX ( $P_{max}$ )	" SOURCE_EXTERNE "	137.
RAYON_SPHERE ( $k *$ )	" SOURCE_EXTERNE "	313.579
Criterion ( $R_{crit}$ )	" SOURCE_EXTERNE "	- 8.281

For criteria called by the formula:

Standard	identification of reference	Value of reference
<b>Criterion of CROSSLAND</b>		
PHYDRM ( $P_{max}$ )	" SOURCE_EXTERNE "	137.
AMPCIS ( $\tau_a$ )	" SOURCE_EXTERNE "	313.579
Criterion ( $R_{crit}$ )	" SOURCE_EXTERNE "	- 8.281
<b>Criterion of DANG VAN-PAPADOPOULOS</b>		
PHYDRM ( $P_{max}$ )	" SOURCE_EXTERNE "	137.
RAYSPH ( $k *$ )	" SOURCE_EXTERNE "	313.579
Criterion ( $R_{crit}$ )	" SOURCE_EXTERNE "	- 8.281

## 4 Modelization B

### 4.1 Characteristic of the modelization

One tests the criteria in formulas (to find the results of benchmark SSLV135D), "MATAKE\_MODI\_AC" DANG\_VAN\_MODI\_AC (to find the results of benchmarks SSLV135A) ;

### 4.2 Characteristics of the mesh

The mesh is not necessary.

### 4.3 Quantities tested and results

For the quantities of SSLV135D:

Standard	identification of reference	Value of reference
"DEPSPE"	"ANALYTIQUE"	7.5E-4
"EPSPR1"	"ANALYTIQUE"	7.625E-4
"SIGNM1"	"ANALYTIQUE"	200
"APHYDR"	"ANALYTIQUE"	66.6666
"DENDIS"	"ANALYTIQUE"	0.45
"DENDIE"	"ANALYTIQUE"	0.173333
"DSIGEQ"	"ANALYTIQUE"	200
"EPSNM1"	"ANALYTIQUE"	1.75E-3
"INVA2S"	"ANALYTIQUE"	1.616666E-3
"DSITRE"	"ANALYTIQUE"	50
"DEPTRE"	"ANALYTIQUE"	6.0625E-4
"DEPTRE"	"ANALYTIQUE"	3.67423E-3

For the criteria "MATAKE\_MODI\_AC" and the criterion in formula associated (SSLV135A) with the option COURBE\_GRD\_VIE = "WOHLER" and for the option COURBE\_GRD\_VIE = "FORM\_VIE" and FORMULE\_VIE = WHOL:

Standard	identification of reference	Value of reference
$\Delta\tau(n_1)$	"ANALYTIQUE"	1.500000E+02
component $x$ of $n_1$	"ANALYTIQUE"	-7.071068E-01
component $y$ of $n_1$	"ANALYTIQUE"	7.071068E-01
component $z$ of $n_1$	"ANALYTIQUE"	0.0
$N_{\max}(n_1)$	"ANALYTIQUE"	5.000000E+01
$N_m(n_1)$	"ANALYTIQUE"	0.0

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

$\varepsilon_{\max}(n_1)$	"ANALYTIQUE"	1.750000E-04
$\varepsilon_m(n_1)$	"ANALYTIQUE"	0.0
$\sigma_{eq}(n_1)$	"ANALYTIQUE"	3.000000E+02
$Nb_{cr}(n_1)$	"ANALYTIQUE"	1.094600E+04
$ENDO(n_1)$	"ANALYTIQUE"	9.135647E-05
$\Delta\tau(n_2)$	"ANALYTIQUE"	1.500000E+02
component $x$ of $n_2$	"ANALYTIQUE"	7.071068E-01
component $y$ of $n_2$	"ANALYTIQUE"	7.071068E-01
component $z$ of $n_2$	"ANALYTIQUE"	0.0
$N_{\max}(n_2)$	"ANALYTIQUE"	5.000000E+01
$N_m(n_2)$	"ANALYTIQUE"	0.0
$\varepsilon_{\max}(n_2)$	"ANALYTIQUE"	1.750000E-04
$\varepsilon_m(n_2)$	"ANALYTIQUE"	0.0
$\sigma_{eq}(n_2)$	"ANALYTIQUE"	3.000000E+02
$Nb_{cr}(n_2)$	"ANALYTIQUE"	1.094600E+04
$ENDO(n_2)$	"ANALYTIQUE"	9.135647E-05

For the criteria "DANG\_VAN\_MODI\_AC" and the criterion in formula associated (SSLV135A) with the option COURBE\_GRD\_VIE = "WOHLER" and for the option COURBE\_GRD\_VIE = "FORM\_VIE" and FORMULE\_VIE = "WHOL" :

Standard	identification of reference	Value of reference
$\Delta\tau(n_1)$	"ANALYTIQUE"	1.500000E+02
component $x$ of $n_1$	"ANALYTIQUE"	7.071068E-01
component $y$ of $n_1$	"ANALYTIQUE"	7.071068E-01
component $z$ of $n_1$	"ANALYTIQUE"	0.0
$N_{\max}(n_1)$	"ANALYTIQUE"	5.000000E+01
$N_m(n_1)$	"ANALYTIQUE"	0.0
$\varepsilon_{\max}(n_1)$	"ANALYTIQUE"	1.750000E-04

$\varepsilon_m(n_1)$	"ANALYTIQUE"	0.0
$\sigma_{eq}(n_1)$	"ANALYTIQUE"	2.750000E+02
$Nb_{cr}(n_1)$	"ANALYTIQUE"	1.490300E+04
$ENDO(n_1)$	"ANALYTIQUE"	6.709959E-05
$\Delta\tau(n_2)$	"ANALYTIQUE"	1.500000E+02
component $x$ of $n_2$	"ANALYTIQUE"	-7.071068E-01
component $y$ of $n_2$	"ANALYTIQUE"	7.071068E-01
component $z$ of $n_2$	"ANALYTIQUE"	0.0
$N_{max}(n_2)$	"ANALYTIQUE"	5.000000E+01
$N_m(n_2)$	"ANALYTIQUE"	0.0
$\varepsilon_{max}(n_2)$	"ANALYTIQUE"	1.750000E-04
$\varepsilon_m(n_2)$	"ANALYTIQUE"	0.0
$\sigma_{eq}(n_2)$	"ANALYTIQUE"	2.750000E+02
$Nb_{cr}(n_2)$	"ANALYTIQUE"	1.490300E+04
$ENDO(n_2)$	"ANALYTIQUE"	6.709959E-05



## 5 Modelization C

### 5.1 Characteristic of the modelization

One The mesh tests the criteria in formulas (to find the results of benchmark SSLV135E

### 5.2 ) Characteristic of

the mesh is not necessary.

### 5.3 Quantities tested and results

the value of reference corresponds to damage (ENDO1) and the results were obtained via **the formula of Basquin** :

Standard	identification of reference	Value of reference
<b>Criteria</b>		
$\frac{ SIPR1 - SIPR2 }{2}$	"ANALYTIQUE"	1.0707149E-03
$\frac{ SITN1 - SITN2 }{2}$	"ANALYTIQUE"	1.0707149E-03
$\frac{SIPN1 - SIPN2}{2}$	"ANALYTIQUE"	1.0707149E-03
$\frac{SIGEQ1 - SIGEQ2}{2}$	"ANALYTIQUE"	4.287285E-03

the value of reference always corresponds to damage (ENDO1) and the results were obtained with **an interpolation** of the curve of Wöhler :

Standard	identification of reference	Value of reference
<b>Criteria</b>		
$\frac{ SIPR1 - SIPR2 }{2}$	"ANALYTIQUE"	1.9212572E-03
$\frac{ SITN1 - SITN2 }{2}$	"ANALYTIQUE"	1.9212572E-03
$\frac{SIPN1 - SIPN2}{2}$	"ANALYTIQUE"	1.9212572E-03
$\frac{SIGEQ1 - SIGEQ2}{2}$	"ANALYTIQUE"	5.8175699E-03

## 6 Modelization D

### 6.1 Characteristic of the modelization

One The mesh tests the criteria in formulas (to find the results of sslv135F benchmark

### 6.2 ) Characteristic of

the mesh is not necessary.

### 6.3 Quantities tested and results

Result obtained with first loading ( **sol\_NL** of SSLV135 F ):

The value of reference corresponds to damage (ENDO1) and the results were obtained via **the formula of Basquin** :

Standard	identification of reference	Value of reference
<b>Criteria</b>		
$\frac{ EPSN1 - EPSN2 }{2}$	"ANALYTIQUE"	1.08363973E-05
$\frac{ ETPR1 - ETPR2 }{2}$	"ANALYTIQUE"	1.0 8363973 E-0 5
$\frac{ ETEQ1 - ETEQ2 }{2}$	"ANALYTIQUE"	1.06338423E-05

the value of reference always corresponds to damage (ENDO1) and the results were obtained with **an interpolation** of the curve of Wöhler :

Standard	identification of reference	Value of reference
<b>Criteria</b>		
$\frac{ EPSN1 - EPSN2 }{2}$	"ANALYTIQUE"	3.26558686E-05
$\frac{ ETPR1 - ETPR2 }{2}$	"ANALYTIQUE"	3.26558686E-05
$\frac{ ETEQ1 - ETEQ2 }{2}$	"ANALYTIQUE"	3.21404432E-05

Result obtained with second loading ( **sol\_NL2** of SSLV135 F ):

The value of reference corresponds to damage (ENDO1) and the results were obtained via **the formula of Basquin** :

Standard	identification of reference	Value of reference
<b>Criteria</b>		

$\frac{ EPSN1 - EPSN2 }{2}$	"ANALYTIQUE"	1.449229E-04
$\frac{ ETPR1 - ETPR2 }{2}$	"ANALYTIQUE"	1.449229 E-0 4
$\frac{ ETEQ1 - ETEQ2 }{2}$	"ANALYTIQUE"	6.5320499E-05

the value of reference always corresponds to damage (ENDO1) and the results were obtained with an **interpolation** of the curve of Wöhler :

Standard	identification of reference	Value of reference
<b>Criteria</b>		
$\frac{ EPSN1 - EPSN2 }{2}$	"ANALYTIQUE"	2.408735E-04
$\frac{ ETPR1 - ETPR2 }{2}$	"ANALYTIQUE"	2.408735 E-0 4

Result obtained with third loading ( **SOL\_NL3** of SSLV135 F ):

The value of reference corresponds to damage (ENDO1) and the results were obtained via the **formula of Basquin** :

Standard	identification of reference	Value of reference
<b>Criteria</b>		
$\frac{ EPPR1 - EPPR2 }{2}$	"ANALYTIQUE"	1.377855E-02

the value of reference always corresponds to damage (ENDO1) and the results were obtained with an **interpolation** of the curve of Wöhler :

Standard	identification of reference	Value of reference
<b>Criteria</b>		
$\frac{ EPPR1 - EPPR2 }{2}$	"ANALYTIQUE"	2.1858445E-03

## 7 Modelization E

### 7.1 Characteristic of the modelization

One tests the criteria in formulas, "MATAKE\_MODI\_AV", "DANG\_VAN\_MODI\_AV", "FATESOCI\_MODI\_AV" (to find the results of benchmarks SSLV135 B)

### 7.2 Characteristic of the mesh

The mesh is not necessary.

### 7.3 Quantities tested and results

For the criteria "MATAKE\_MODI\_A V " and the criterion in formula associated ( SSLV135 B )

For the results with option COURBE\_GRD\_VIE=' WOHLER' and for the option COURBE\_GRD\_VIE = "FORM\_VIE" and FORMULE\_VIE = "WHOL" :

Standard	identification of reference	component Value of reference
$x$ of $n_1$ and $n_2$	"AUTRE_ASTER "	-0.38268343236509 0.38268343236509
component $y$ of $n_1$ and $n_2$	"AUTRE_ASTER "	0.92718385456679 0.92387953251129
component $z$ of $n_1$ and $n_2$	"AUTRE_ASTER "	0.00000000000000E+00
$ENDO(n_1)$	"AUTRE_ASTER "	7.0532362250863E-04

In the table above, the components  $x$  and  $y$  of  $n_1$  and  $n_2$  has two values because there exist two vectors which correspond to the same value of damage  $ENDO(n_1) = \text{formule } ENDO(n_2)$  .

For the results with option COURBE\_GRD\_VIE= "FORM\_VIE" and FORMULE\_VIE = WHOL\_F:

Standard	identification of reference	component Value of reference
$x$ of $n_1$ and $n_2$	"AUTRE_ASTER "	-0.38268343236509 0.38268343236509
component $y$ of $n_1$ and $n_2$	"AUTRE_ASTER "	0.92718385456679 0.92387953251129
component $z$ of $n_1$ and $n_2$	"AUTRE_ASTER "	0.00000000000000E+00
$ENDO(n_1)$	"AUTRE_ASTER "	3.3180845213285E-04

In the table above, the components  $x$  and  $y$  of  $n_1$  and  $n_2$  has two values because there exist two vectors which correspond to the same value of damage  $ENDO(n_1) = \text{formule } ENDO(n_2)$  .

For the criteria " DANG\_VAN\_MODI\_AV " and the criterion in formula associated (SSLV135B)

For the results with option COURBE\_GRD\_VIE=' WOHLER' and for the option COURBE\_GRD\_VIE=' FORMES\_VIE' and FORMULE\_VIE = WHOL:

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Standard	identification of reference	component Value of reference
$x$ of $n_1$ and $n_2$	"AUTRE_ASTER"	-7.0710678118655E-01 7.0710678118655E-01
component $y$ of $n_1$ and $n_2$	"AUTRE_ASTER"	7.0710678118655E-01
component $z$ of $n_1$ and $n_2$	"AUTRE_ASTER"	0.0000000000000E+00
$ENDO(n_1)$	"AUTRE_ASTER"	1.3419917535855E-04

In the table above, the components  $x$  and  $y$  of  $n_1$  and  $n_2$  has two values because there exist two vectors which correspond to the same value of damage  $ENDO(n_1)$  =formule  $ENDO(n_2)$  .

For the results with option COURBE\_GRD\_VIE= "FORM\_VIE" and FORMULE\_VIE = WHOL\_F:

Standard	identification of reference	component Value of reference
$x$ of $n_1$ and $n_2$	"AUTRE_ASTER"	-7.0710678118655E-01 7.0710678118655E-01
component $y$ of $n_1$ and $n_2$	"AUTRE_ASTER"	7.0710678118655E-01
component $z$ of $n_1$ and $n_2$	"AUTRE_ASTER"	0
$ENDO(n_1)$	"AUTRE_ASTER"	8.7633062468223E-05

In the table above, the components  $x$  and  $y$  of  $n_1$  and  $n_2$  has two values because there exist two vectors which correspond to the same value of damage  $ENDO(n_1)$  =formule  $ENDO(n_2)$  .

For the criteria " FATESOCI\_MODI\_AV " and the criterion in formula associated (SSLV135B)

For the results with option COURBE\_GRD\_VIE=' WOHLER', COURBE\_GRD\_VIE=' FORMES\_VIE' and FORMULE\_VIE = MANCO1:

Standard	identification of reference	component Value of reference
$x$ of $n_1$ and $n_2$	"AUTRE_ASTER"	-4.3837114678908E-01 4.3837114678908E-01
component $y$ of $n_1$ and $n_2$	"AUTRE_ASTER"	8.9879404629917E-01
component $z$ of $n_1$ and $n_2$	"AUTRE_ASTER"	0
$ENDO(n_1)$	"AUTRE_ASTER"	1.6823455707218E-01

In the table above, the component  $x$  of  $n_1$  and  $n_2$  has two values because there exist two vectors which correspond to the same value of damage  $ENDO(n_1)$  =formule  $ENDO(n_2)$  .

For the results with option COURBE\_GRD\_VIE= "FORM\_VIE" and FORMULE\_VIE = MANCO2:

Standard	identification of reference	component Value of reference
$x$ of $n_1$ and $n_2$	"AUTRE_ASTER"	-0.43051109680829 0.43051109680830
component $y$ of $n_1$ and $n_2$	"AUTRE_ASTER"	0.90258528434986
component $z$ of $n_1$ and $n_2$	"AUTRE_ASTER"	6.1232339957368E-17
$ENDO(n_1)$	"AUTRE_ASTER"	0.61539334669938

In the table above, the component  $x$  of  $n_1$  and  $n_2$  has two values because there exist two vectors which correspond to the same value of damage  $ENDO(n_1)$   $ENDO(n_2)$

## 8 Modelization F

### 8.1 Characteristic of the modelization

One tests criteria `MATAKE_MODI_AC`, `DANG_VAN_MODI_AC`, `MATAKE_MODI_AV`, `DANG_VAN_MODI_AV`, `FATESOCI_MODI_AV`. One tests the change of the direction of the critical plane on which the damage or the shears is maximum (to find the results of benchmarks SSLV135G)

### 8.2 Characteristic of the mesh

The mesh is not necessary.

### 8.3 Quantities tested and Criteria

•results of `DANG_VAN_MODI_AC`, `MATAKE_MODI_AC`, `DANG_VAN_MODI_AV`

For the results of  $\phi_z$  to the node `NI` for an elastic material.

Standard value $\alpha$	formula of reference	Value of reference
-1, -0.5, 0..10	"ANALYTIQUE"	45

For the results of  $\phi_z$  to the node `NI` for an elastoplastic material.

Standard value $\alpha$	formula of reference	Value of reference
0,1,2,3,4	"ANALYTIQUE"	45

•Criterion of `MATAKE_MODI_AV`

Standard Value $\alpha$	formula of reference	Value of reference
-1	"ANALYTIQUE"	45
-0.5	"ANALYTIQUE"	45.72
0	"ANALYTIQUE"	46.43
0.5	"ANALYTIQUE"	47.14
1	"ANALYTIQUE"	47.86
1.5	"ANALYTIQUE"	48.56
2	"ANALYTIQUE"	49.27
2.5	"ANALYTIQUE"	49.96
3	"ANALYTIQUE"	50.65
3.5	"ANALYTIQUE"	51.34
4	"ANALYTIQUE"	52.02
4.5	"ANALYTIQUE"	52.69
5	"ANALYTIQUE"	53.35
5.5	"ANALYTIQUE"	54
6	"ANALYTIQUE"	54.65
6.5	"ANALYTIQUE"	55.28

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7	"ANALYTIQUE"	55.9
7.5	"ANALYTIQUE"	56.51
8	"ANALYTIQUE"	57.11
8.5	"ANALYTIQUE"	57.7
9	"ANALYTIQUE"	58.28
9.5	"ANALYTIQUE"	58.85
10	"ANALYTIQUE"	59.41

For the results of  $\phi_z$  to the node  $NI$  for an elastoplastic material.

Standard value $\alpha$	formula of reference	Value of reference
0	"ANALYTIQUE"	46.43
1	"ANALYTIQUE"	47.86
2	"ANALYTIQUE"	49.27
3	"ANALYTIQUE"	50.65
4	"ANALYTIQUE"	52.02

#### •Criterion of FATESOCI\_MODI\_AV

For the results of  $\phi_z$  to the node  $NI$  for an elastic material.

Standard value $\alpha$	formula of reference	Value of reference
-1	"ANALYTIQUE"	45
-0.5	"ANALYTIQUE"	45.34
0	"ANALYTIQUE"	45.67
0.5	"ANALYTIQUE"	45.99
1	"ANALYTIQUE"	46.31
1.5	"ANALYTIQUE"	46.61
2	"ANALYTIQUE"	46.91
2.5	"ANALYTIQUE"	47.2
3	"ANALYTIQUE"	47.48
3.5	"ANALYTIQUE"	47.75
4	"ANALYTIQUE"	48.01
4.5	"ANALYTIQUE"	48.27
5	"ANALYTIQUE"	48.51
5.5	"ANALYTIQUE"	48.75
6	"ANALYTIQUE"	48.98
6.5	"ANALYTIQUE"	49.2
7	"ANALYTIQUE"	49.42



7.5	"ANALYTIQUE"	49.63
8	"ANALYTIQUE"	49.83
8.5	"ANALYTIQUE"	50.03
9	"ANALYTIQUE"	50.22
9.5	"ANALYTIQUE"	50.4
10	"ANALYTIQUE"	50.58

For the results of  $\phi_z$  to the node  $NI$  for an elastoplastic material.

Standard value $\alpha$	formula of reference	Value of reference
0	"ANALYTIQUE"	45.67
1	"ANALYTIQUE"	46.31
2	"ANALYTIQUE"	46.91
3	"ANALYTIQUE"	47.48
4	"ANALYTIQUE"	48.01

## 9 Summary of the results

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the results provided by *Code\_Aster* with `POST_FATIGUE` coincide perfectly with those and values of reference obtained with `CALC_FATIGUE`.