

## SSNP111 - Transition of Gauss points with the nodes on quadratic elements

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### Summarized:

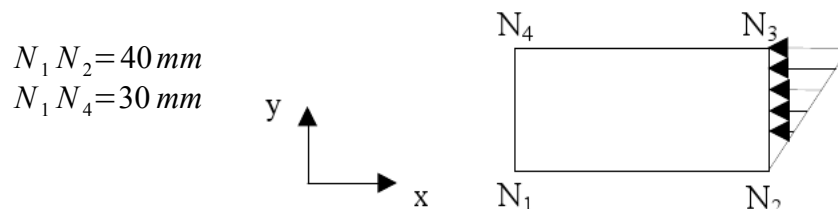
It is about a test of static mechanics nonlinear.

The goal is to test, in the order `CALC_CHAMP`, the matrixes making it possible to place from the points of integration to the nodes tops. The treated case relates to a plane plate subjected on one of its sides to a pressure varying linearly.

## 1 Problem of reference

### 1.1 Geometry

Plates rectangular plane.



### 1.2 Properties of the materials

the elastic properties of the material are the following ones:

- $E = 200\,000 \text{ MPa}$
- $\nu = 0$

The properties material defining a plastic material in linear hardening are the following ones:

- Slope of curve of tension  $C = 1930 \text{ Mpa}$
- mechanical  $\sigma^y = 181 \text{ Mpa}$

### 1.3 Elastic limit Boundary conditions and loadings

Face  $N_1 N_2$  : blocked according to  $ox$

The node is outside the field of definition with a right profile of the EXCLU type node:  $N_1$  blocked according to  $oy$

The node is outside the field of definition with a right profile of the EXCLU type node:  $N_2$  blocked according to  $oy$

Pressure varying linearly:

$$P_{res}(N2) = 0$$

$$P_{res}(N3) = 300 \text{ MPa}$$

## 2 Reference solution

### 2.1 Method of calculating used for the reference solution

the cumulated plastic strain  $P$  is equal to:

$$P = \frac{\sigma_L - \sigma^y}{C}$$

with:  $\sigma_L$  : stress with the node considered  
 $\sigma^y$  : elastic limit  
 $C$  : slope of curve of tension

the stresses are given by:

$$\sigma_{xx}(N_i) = -P_{res}(N_i)$$

The plastic strain is given by:

$$|\varepsilon_{xx}^p(N_i)| = P(N_i)$$

### 2.2 Results of reference

One calculates with the nodes  $N_2$  and  $N_3$  the uniaxial stress, the plastic strain, as well as the cumulated plastic strain.

Maybe for the problem considered:

	$N_2$	$N_3$
$\sigma_{xx}$	0	- 300
$\varepsilon_{xx}$	0	- 6.1658 10-2
$\varepsilon_{xx}^p$	0	6.1658 10-2

### 2.3 Uncertainty on the analytical

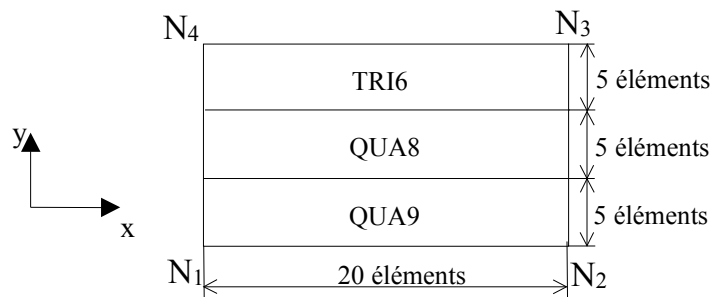
solution Solution.

### 2.4 Bibliographical references

- [1] LORENTZ E., PROIX J.M., VAUTIER I., VOLDOIRE F., WAECKEL F.: Initiation with the thermo - plasticity in the code Aster. Handbook of Reference of the course. EDF-DER, SCE IMA, Dept. Mechanics and digital Models, HI-74/96/013/0

## 3 Modelization A

### 3.1 Characteristic of the modelization



### 3.2 Characteristics of the mesh

Many nodes: 1072

Number of meshes and types: 100 QUAD9  
100 QUAD8  
200 TRIA6

### 3.3 Quantities tested and Standard

Identification	results of reference	Value
cumulated Plastic strain Node $N_2$ at the sequence number 10	"AUTRE_ASTER"	0.0
Plastic strain cumulated Node $N_3$ at the sequence number 10	"AUTRE_ASTER"	6.16E-2
Plastic strain Node $N_2$ at the sequence number 10	"AUTRE_ASTER"	0.0
Plastic strain Node $N_3$ at the sequence number 10	"AUTRE_ASTER"	-6.16E-2
Forced to the Node $N_2$ at the sequence number 10	"AUTRE_ASTER"	0.0
Stresses with the Node $N_3$ at the sequence number 10	"AUTRE_ASTER"	-300.0

One calculate the indicators of discharge and loss of radially in the mesh  $M_1$  :

- at first Gauss point (DERA\_ELGA),
- node  $N_{601}$  (DERA\_ELNO).

Standard	identification of reference	Value
Discharges at the first Gauss point of the mesh $M_1$ at the sequence number 7	"NON_REGRESSION"	8.67857E-1
Discharges with the node $N_{601}$ of the mesh $M_1$ at the sequence number 7	"NON_REGRESSION"	8.91978E-1
Loss from radially at the first Gauss point of the mesh $M_1$ at the sequence number 7	"NON_REGRESSION"	3.39734E-3

## 4 Summary of the results

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the results coincide with the reference solution. They thus make it possible to rule on the validity of the transition matrixes of the points of gauss to the nodes tops.