

## SSNL111 - Three thermoelastoplastic bars perfect Von Mises

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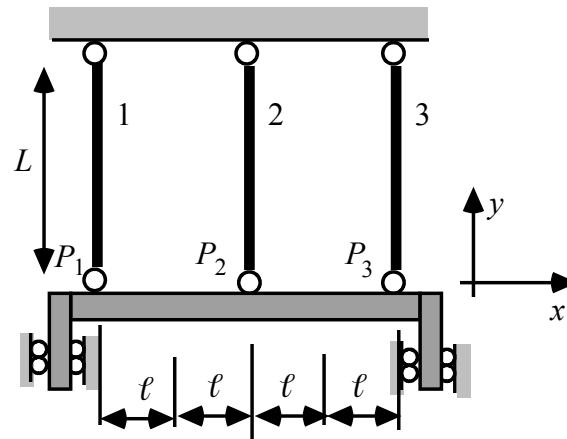
### Abstract:

This quasi-static test enters the frame of the elastoplastic validation of the behavior models. Three perfect, parallel thermoelastoplastic bars, rotulées on a rigid support at an end and rotulées on a rigid bar with the other, undergo an external thermal loading.

This application, where all the fields are uniform in each bar makes it possible to validate 2 numerical types of modelizations: massive finite elements ( 2D plane stresses), plates and bars.

## 1 Problem of reference

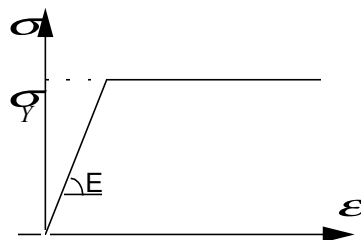
### 1.1 Geometry



the three bars have the same length  $L=1\text{ m}$ , and are spaced of  $l=1\text{ m}$ .

### 1.2 Material properties

thermoelastoplastic Constitutive law perfect standard, with criterion of Von Mises. Plastic strains are null in an initial state.



$E = 200000\text{ MPa}$   
 $\nu = 0.3$   
 $\sigma_Y = 200\text{ MPa}$   
 $\alpha = 0.00001$

### 1.3 Boundary conditions and loadings

the three bars have a following displacement blocked  $Oy$  at the points higher ends, where they are articulated, and they are attached at the lower points  $P_1, P_2, P_3$ , which one can represent by a rigid frame compels to move vertically, length  $4l$  on which the three bars are pin-jointed. The bars are free of mechanical force.

The way of loading is described by the change of the temperature, uniform in each bar ( $T^{max} = 330^\circ\text{ C}$ ):

## 2 Reference solution

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### 2.1 Method of calculating used for the reference solution

to refer to the document [bib1] which provides the thermoelastoplastic solution.

### 2.2 Results of reference

#### Modelization A

$\sigma_{yy}$  in  $P1$   $P2$   $P3$  .

#### Modelization B

constant normal  $N$  Force on each bar (value identical to  $\sigma_{yy}$  , because one took a section equalizes to 1).

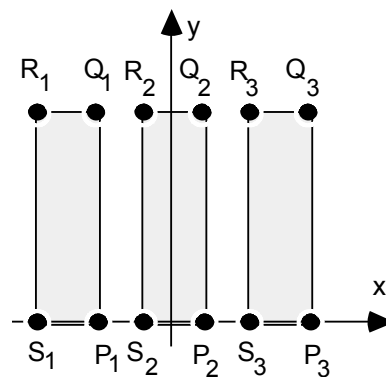
### 2.3 Bibliographical references

- S. ANDRIEUX: Thermoelastoplastic TD 1 Three bars perfect Von Mises. In "Initiation with thermoplasticity in the Code\_Aster", HI-74/96/November 13th, 1996 (manual of reference of the course).

## 3 Modelization A

### 3.1 Characteristic of the modelization

Elements 2D (QUAD4). Modelization C\_PLAN.



### 3.2 Characteristics of the mesh

Many nodes: 12.  
Number of meshes and types: 3 QUAD4.

### 3.3 Quantities tested and results

Identification	Times	Node	Reference	Aster	Variation %
$\sigma_{yy}$	1	P1	- 200	- 200.00000	0.100
$\sigma_{yy}$		P2		100.00000	0.100
$\sigma_{yy}$		P3		100.00000	0
$\sigma_{yy}$	2	P1	- 200	- 200.00036	1.8 E-4
$\sigma_{yy}$		P2	100	100.00017	1.7 E-4
$\sigma_{yy}$		P3	100	100.00017	1.7 E-4
$\sigma_{yy}$	3	P1	20	19.99978	- 1.1 E-3
$\sigma_{yy}$		P2	- 120	- 119.99989	- 0.8 E-4
$\sigma_{yy}$		P3	100	100.00010	1 E-4
$\sigma_{yy}$	4.200	P1		200.00060	3 E-4
$\sigma_{yy}$		P2	- 100	- 100.00008	0.8 E-4
$\sigma_{yy}$		P3	- 100	- 100.00008	0.8 E-4
$\sigma_{yy}$	5.200	P1		200.00002	0.1 E-4
$\sigma_{yy}$		P2	- 100	- 100.00011	1.1 E-4
$\sigma_{yy}$		P3	- 100	- 100.00011	1.1 E-4

## 4 Modelization B

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### 4.1 Characteristic of the modelization

3 elements 1D (SEG2). Modelization BARS

### 4.2 Characteristic of the mesh

6 nodes.  
3 meshes SEG2

### 4.3 Quantities tested and results

Identification	Times	Bar N °	Reference	Aster	Variation %
normal force $N$	1	1	- 200	- 200	0
normal force $N$		2.100.100			0
normal force $N$		3.100.100			0
normal force $N$	2	1	- 200	- 200	0
normal force $N$		2.100.100			0
normal force $N$		3.100.100			0
normal force $N$	3	1	20	20	0
normal force $N$		2	- 120	- 120	0
normal force $N$		3.100.100			0
normal force $N$	4	1.200.200			0
normal force $N$		2	- 100	- 100	0
normal force $N$		3	- 100	- 100	0
normal force $N$	5	1.200.200			0
normal force $N$		2	- 100	- 100	0
normal force $N$		3	- 100	- 100	0

## 5 Summary of the results

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the results provided by Code\_Aster are in excel agreement with the analytical solution.