

SSLV135 – Criteria of starting in fatigue under multiaxial loadings for a structure

Summarized:

This benchmark aims to test the operator `CALC_FATIGUE` who calculates the damage for all the points of structure.

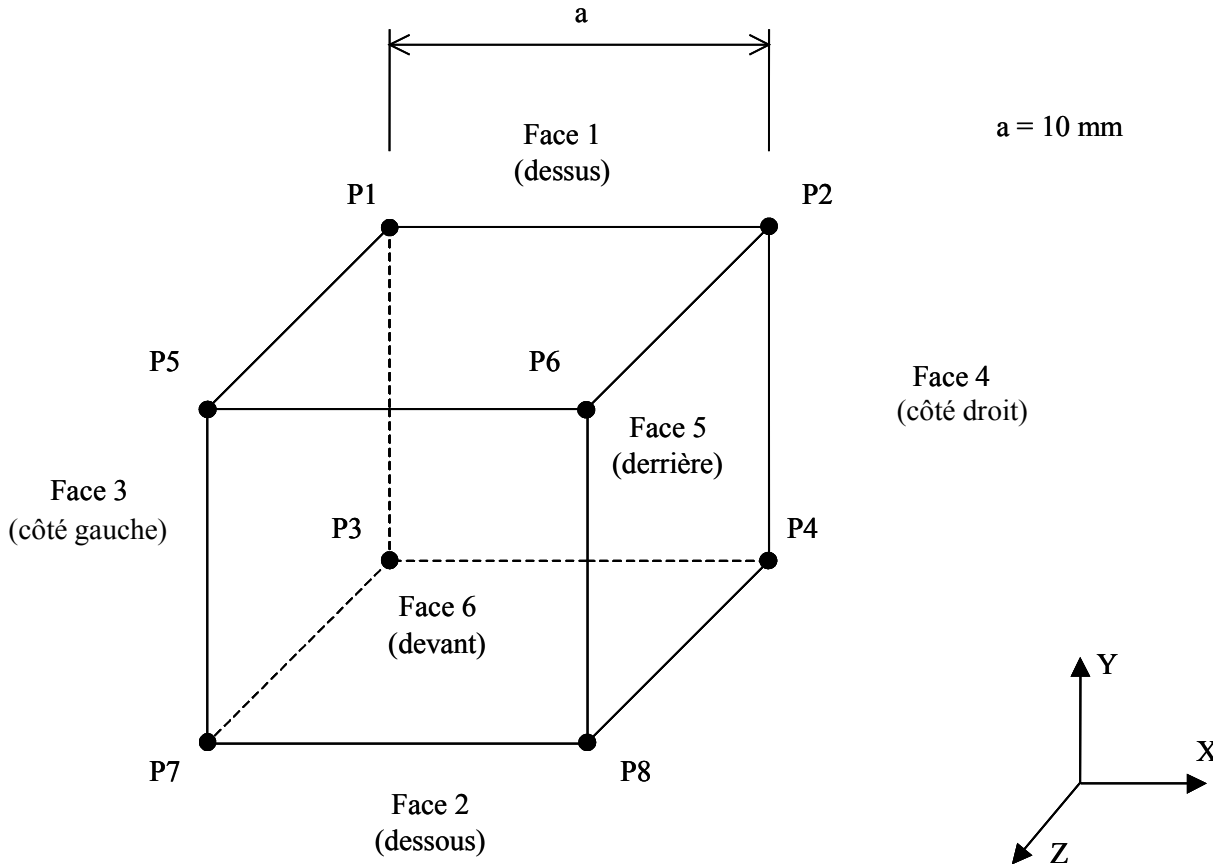
The geometry treated here is a cube without default with which one carries out a followed linear elastic mechanical computation by the computation of the critical plane of shears in each Gauss point and each node.

- modelization a: criteria `MATAKE_MODI_AC`, `DANG_VAN_MODI_AC`, `VMIS_TRESCA`, criterion in formula, periodic and biaxial loading proportional;
- modelization b: criterion `MATAKE_MODI_AV`, `DANG_VAN_MODI_AV`, `FATESOCI_MODI_AV`, criterion in formula, loading NON-periodical and biaxial proportional ;
- modelization C: criteria `MATAKE_MODI_AC` and `DANG_VAN_MODI_AV`, criterion in formula, loading multiaxial, non-proportional ;
- modelization D : criterion in formula, to test new quantities, elastoplastic and periodic uniaxial loading.
- modelization E : criterion in formula, to test new quantities (in stresses) , elastoplastic biaxial loading and NON-periodical.
- modelization F : criterion in formula, to test new quantities (in strains) , elastic biaxial loading with variable amplitude and elastoplastic uniaxial loading and NON-periodical.
- modelization G: criteria `MATAKE_MODI_AC`, `DANG_VAN_MODI_AC`, `MATAKE_MODI_AV`, `DANG_VAN_MODI_AV`, `FATESOCI_MODI_AV`. One tests the change of the direction of the critical plane on which the damage or the shears is maximum.

The criteria in the modelization A are said “to plane of critical shears”, they are adapted to the periodic loadings. The criteria in the modelization B can be qualified criteria “with plane of critical damage”, they can be used when the loading is not periodical. Criterion `VMIS_TRESCA` is not a criterion of fatigue, it determines the variation of maximum amplitude of the tensor of the stresses. The criteria formulates some allowing the user to build predefined criteria according to the quantities are also tested.

1 Problem of reference

1.1 Geometry



the cube has 10 mm side.

1.2 Material properties

1.2.1 Modelizations: A, B, C and F

Young Modulus: $E = 200000 \text{ MPa}$

Poisson's ratio: $\nu = 0.3$

1.2.2 Modelization D

the Young modulus and the Poisson's ratio are identical to those of the other modelizations.

Yield stress of the material: $\sigma_o = 150.0 \text{ MPa}$

The elastoplastic behavior of Von Mises with linear isotropic hardening with the slope of curve of hardening:
 $H = 50000.0 \text{ MPa}$

1.2.3 Modelization E

the modulus Young and the Poisson's ratio is identical to those of the other modelizations.

Yield stress of the material: $\sigma_o = 900.0 \text{ MPa}$

The elastoplastic behavior of Von Mises with linear isotropic hardening with the slope of curve of hardening:
 $H = 50000.0 \text{ MPa}$

1.2.4 Modelization F

In this modelization, two different materials are considered. First is similar to paragraph 1.2.1 (i.e. purely elastic), and second is similar to the material used in the modelization E (1.2.3).

1.2.5 Modelization G

In this modelization, two different materials are considered.

The first material is elastic with the Young modulus: $E = 193000 \text{ MPa}$ and the Poisson's ratio: $\nu = 0.3$

The second material is elastoplastic, the modulus Young and the Poisson's ratio is identical to the first material. Yield stress of the material: $\sigma_o = 208.0 \text{ MPa}$. The elastoplastic behavior of Von Mises with linear isotropic hardening with the slope of curve of hardening: $H = 50000.0 \text{ MPa}$

1.3 Curves of Wöhler and Manson-Whetstone sheath

the modelizations use all the curves of Wöhler (i.e. a curve in stress) and of Manson-Whetstone sheath (i.e. a curve in strain).

Here the curve of Wöhler (alternate traction and compression controlled in stress):

Half amplitude of stress (MPa)	138.0	152.0	165.0	180.0	200.0	250.0	295.0
Half Number of	cycles	1.0E+	5.0E+	2.0E+	1.0E+5	5.0E+4	2.0E+4
		6	5	5			
1.2E+4 amplitude of stress (MPa)	305.0	340.0	430.0	540.0	690.0	930.0	1210.0
Half Number of	cycles	1.0E+	5.0E+	2.0E+	1.0E+3	5.0E+2	2.0E+2
		4	3	3			
1.0E+2 amplitude of stress (MPa)	1590.0	2210.0	2900.0				
Many cycles	5.0E+1	2.0E+	1.0E+				
		1	1				

Table 1.3-1: Curve of Wöhler

Here the curve of Manson-Whetstone sheath (alternate traction and compression controlled in strain):

Strain	0.00226	0.0023	0.0025	0.0027	0.003	0.0035
Number of cycles	5.8E+6	4.6E+6	2.39284E+	1.49535E+	7.3544E+4	3.3821E+4
			5	5		
Strain	0.006	0.0085	0.010	1.000		
Many cycles	2.85E+3	1.068E+3	5.62E+2	1.0		

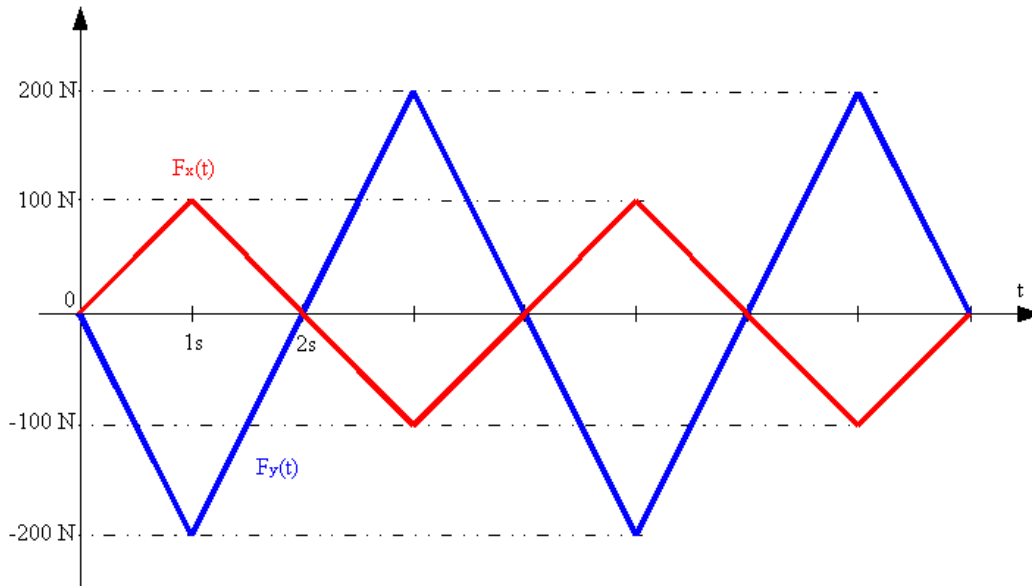
Table 1.3-2: Curve of Manson-Whetstone sheath

1.4 Boundary conditions and loadings

1.4.1 Modelizations: A, B

- displacements according to the axis X of face 3 are blocked ($DX = 0.0$).
- Displacements according to the axis Y of face 2 are blocked ($DY = 0.0$).
- Displacements of the point $P3$ are blocked according to the axis Z ($DZ = 0.0$).
- We apply an alternate biaxial loading (traction and compression) according to the axes X and Y .
 $F_x(t)$ represent the alternate forces applied to face 4 according to the axis X and $F_y(t)$ represents the alternate forces applied to the face 1 according to the axis Y .

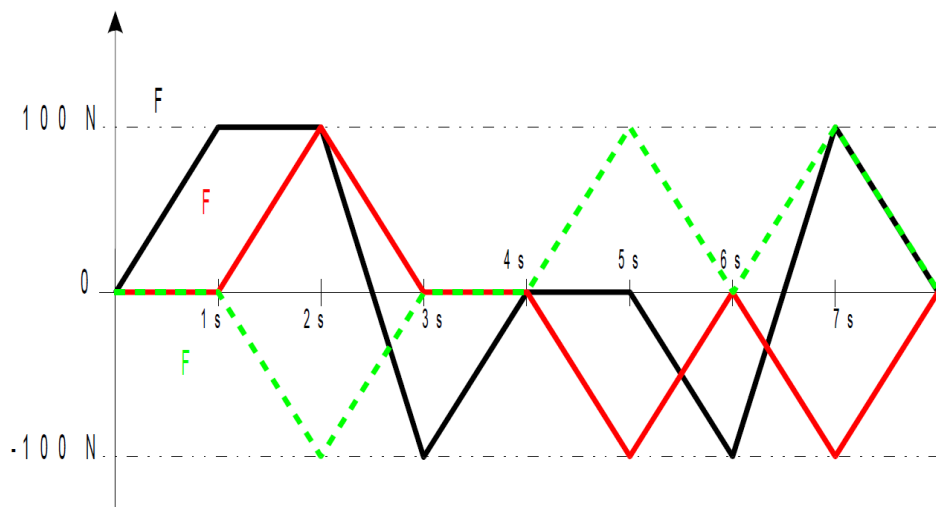
Loading for these modelizations:



1.4.2 Modelization C

- displacements according to the axis X of face 3 are blocked ($DX=0.0$).
- Displacements according to the axis Y of face 3 are blocked ($DY=0.0$).
- Displacements according to the axis Z of face 2 are blocked ($DZ=0.0$).
- We apply a multiaxial loading: traction and compression according to the axis X , shears according to the axes Y and Z . $F_x(t)$ represent the forces applied to face 4 according to the axis X , $F_y(t)$ represents the forces applied to face 4 according to the axis Y and $F_z(t)$ represents the forces applied to face 1 according to the axis Z .

Loading for this modelization:



1.4.3 Modelization D

- displacements according to the axis X face 3 are blocked ($DX=0.0$).
- Displacements according to the axis Y of face 3 are blocked ($DY=0.0$).
- Displacements according to the axis Z of face 2 are blocked ($DZ=0.0$).
- In this modelization, we apply a periodic uniaxial loading.

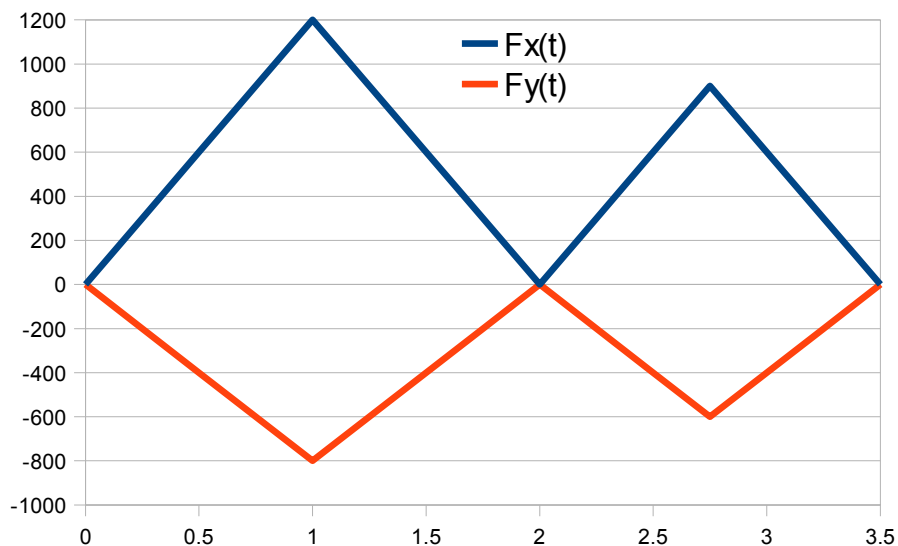
t	0	1	2	3	4	5
$F_x(t)$	0	200	0	-200	0	200

One notes that this load history involves a plastic strain in computation. It is also noted that the monotonous load history between $t=0$ and $t=1$ (the part of the monotonic loading) is not taken into account in the fatigue analysis.

1.4.4 Modelization E

- displacements blocked here are the same ones as in the modelization O
- We apply a biaxial loading here NON-periodical.

t	0	1	2	2.75	3.5
$F_x(t)$	0	1200	0		0
$F_y(t)$	0	-800	0	-600	0



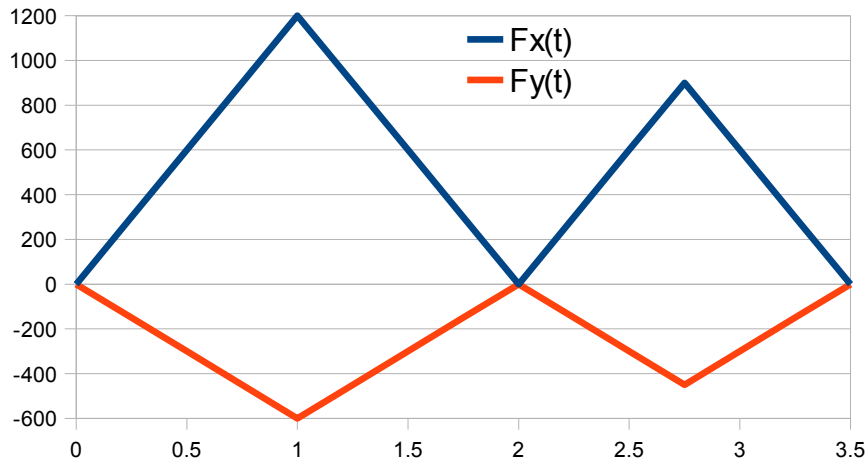
1.4.5 Modelization F

- displacements blocked here are the same ones as in the modelization O
- In this modelization, we apply three distinct loadings. First is biaxial, the two others are uniaxial.

First loading (association of TR_CS and COEF in the command file):

t	0	1	2	2.75	3.5
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$F_x(t)$	0	1200	0	0
$F_y(t)$	0	-600	0	-450



Second loading (association of TR_CS2 and COEF2 in the command file):

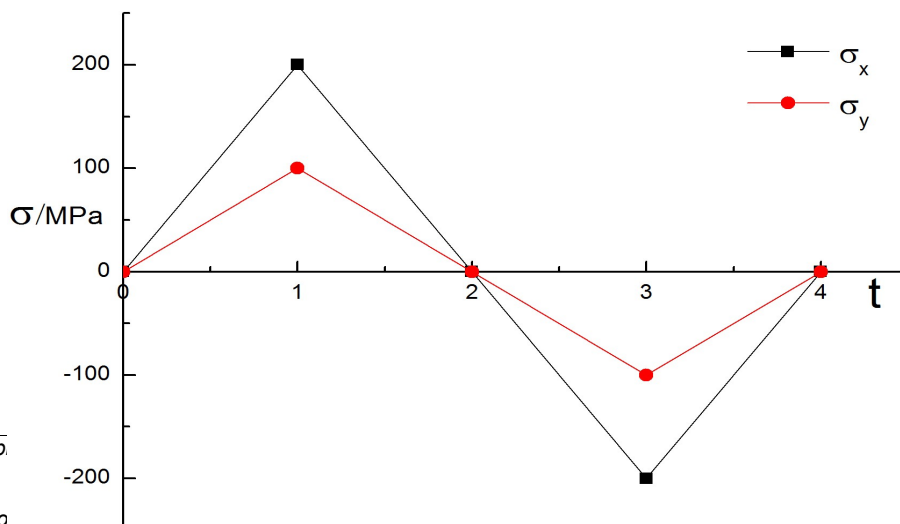
t	0	1	2,5625	3,5625	5,5625
$F_x(t)$	0	1200	-675	900	-675

Third loading (association of TR_CS2 and COEF3 in the command file):

t	0	1	G	2	3
$F_x(t)$	formula	0	1800	-600	2400

1.4.6 -1200 Modelization

- displacements blocked here are the same ones as in the modelization A
- We apply an alternate biaxial loading (traction and compression) according to the axes X and Y . σ_x the alternate forces applied to face 4 according to the axis X and σ_y represents the alternate forces applied to the face 1 according to the axis Y .
- To study effects of the average constraint on the directional sense of the critical plane, only of the loadings biaxial, proportional according to directions of X and Y are considered.



- Two parameters are defined

$$\lambda = \frac{\sigma_{y,a}}{\sigma_{x,a}}$$
$$\alpha = \frac{\sigma_{y,m}}{\sigma_{y,a}} = \frac{\sigma_{x,m}}{\sigma_{x,a}}$$

where $\sigma_{x,a}$, $\sigma_{y,a}$ represent amplitudes of the stresses according to X and Y , respectively. $\sigma_{x,m}$ and $\sigma_{y,m}$ represent the values of the average constraints according to X and Y directions, respectively. One takes $\sigma_{x,a} = 200 \text{ MPa}$, $\lambda = 1$ and α varies from -1 to 10 with a interval of 0,5.

1.5 Initial conditions

Without object for a static analysis.

2 Reference solution

2.1 Method of calculating used for the reference solution

In the case of an alternate biaxial loading where the pressures applied are such as: $\sigma_x = \lambda \sigma_y$, with $|\lambda| > 1$ and $\lambda < 0$, it is shown [bib1] that its half amplitude of maximum shears $\Delta \tau / 2 = (\Delta \sigma_x + \Delta \sigma_y) / 4$, where $\Delta \sigma_x / 2$ and $\Delta \sigma_y / 2$ represent the half amplitudes of pressures applied according to the axes x and y . Moreover, there are two critical planes in which the shears are maximum:

2.2 Results of reference for the modelizations to see

the references [bib1] and [R7.04.04].

Half amplitude of maximum shears:

$$\frac{\begin{matrix} \mathbf{N}_1 \\ \Delta \sigma_x / 2 \text{ (MPa)} \end{matrix} \quad \begin{matrix} \mathbf{N}_2 \\ \Delta \sigma_y / 2 \text{ (MPa)} \end{matrix} \quad \Delta \tau / 2 \text{ (MPa)}}{100.200.150}$$

Note::

| The half amplitude of maximum shears is identical for the two critical planes.

Normal vectors with the two critical planes:

	n_1	n_2
Component x	$-1/\sqrt{2}$	$1/\sqrt{2}$
Component y	$1/\sqrt{2}$	$1/\sqrt{2}$
component z	0	0

normal Maximum stresses in the fields of the norms n_1 and n_2 :

$$N_{\max}(n_1) = 50 \text{ MPa} \quad \text{and} \quad N_{\max}(n_2) = 50 \text{ MPa} .$$

Hydrostatic pressure maximum, independent with respect to the planes of norms n_1 and n_2 :

$$P=33.33333 \text{ MPa} .$$

Normal average constraints in the fields of the norms n_1 and n_2 :

$$N_m(n_1)=0 \text{ MPa} \text{ and } N_m(n_2)=0 \text{ MPa} .$$

Normal maximum strains in the fields of the norms n_1 and n_2 :

$$\varepsilon_{\max}(n_1)=1.75 \cdot 10^{-4} \text{ and } \varepsilon_{\max}(n_2)=1.75 \cdot 10^{-4}$$

normal average Strains in the fields of the norms n_1 and n_2 :

$$\varepsilon_m(n_1)=0 \text{ and } \varepsilon_m(n_2)=0 .$$

Criterion MATAKE_MODI_AC

$$\frac{\Delta\tau(n_i)}{2} + a N_{\max}(n_i) \leq b, \quad i=1, 2$$

where $a=1$ and $b=2$.

Equivalent stresses within the meaning of MATAKE in the fields of the norms n_1 and n_2 :

$$\sigma_{eq}(n_i) = \left(\frac{\Delta\tau(n_i)}{2} + a N_{\max}(n_i) \right) \frac{f}{t}, \quad i=1, 2$$

where f and t represent, respectively, the limit of endurance in alternating bending and the limit of endurance in alternate torsion. Here f/t is equal to 1,5 . Consequently we have:

$$\sigma_{eq}(n_1)=300 \text{ MPa} \text{ and } \sigma_{eq}(n_2)=300 \text{ MPa} .$$

Many cycles to the fracture in the fields of the norms n_1 and n_2 :

From the curve of Wöhler, cf [Table 1.2-1], and equivalent stresses within the meaning of MATAKE, we obtain:

$$Nb_{cr}(n_1)=Nb_{cr}(n_2)=10946 \text{ cycles} .$$

Damage in the fields of the norms n_1 and n_2 :

$$ENDO(n_1)=ENDO(n_2)=9.13565 \cdot 10^{-5} .$$

Criterion of Dang Van adapted to the periodic loadings : DANG_VAN_MODI_AC

$$\frac{\Delta\tau(n_i)}{2} + a P \leq b, \quad i=1, 2$$

where $a=1$ and $b=2$.

Equivalent stresses within the meaning of DANG VAN in the fields of the norms n_1 and n_2 :

$$\sigma_{eq}(n_i) = \left(\frac{\Delta\tau(n_i)}{2} + a P \right) \frac{c}{t}, \quad i=1, 2$$

where c and t represent, respectively, the limit of endurance in alternate shears and the limit of endurance in alternate traction and compression. Here c/t is equal to 1,5 . Consequently we have:

$$\sigma_{eq}(n_1) = 275 \text{ MPa} \quad \text{and} \quad \sigma_{eq}(n_2) = 275 \text{ MPa} .$$

Many cycles to the fracture in the fields of the norms n_1 and n_2

From the curve of Wöhler, cf [Table 1.2-1], and from the equivalent stresses within the meaning of DANG VAN, we obtain:

$$Nb_{cr}(n_1) = Nb_{cr}(n_2) = 14903 \text{ cycles} .$$

Damage in the fields of the norms n_1 and n_2 :

$$ENDO(n_1) = ENDO(n_2) = 6.709959 \cdot 10^{-5} .$$

For the option `COURBE_GRD_VIE = "FORM_VIE"` and `FORMULE_VIE = WHOL_F` where the curve of life is provided by a formula, the results of reference have identical to those called with the name except those of `NBRUPT` and `ENDO` as one uses a curve of different life.

- curve `WHOL_F` of formula ($\text{grandeur_équivalente} = 4098.3 \times (NBRUP^{-0.2693})$) is initially provided by a tabulated function to compute: of the values of reference of `NBRUPT` and `ENDO`.
- curve `MANCO2` of formula ($\text{grandeur_équivalente} = 0.2 \times (NBRUP^{-0.1619})$) is initially provided by a tabulated function to compute: of the values of reference of `NBRUPT` and `ENDO`.

2.3 Results of reference for the modelization B

Criterion of MATAKE adapted to the nonperiodic loadings: `MATAKE_MODI_AV`
For this criterion it does not have of results analytical there.

Criterion of Dang Van adapted to the nonperiodic loadings: `DANG_VAN_MODI_AV`
For this criterion it does not have of results analytical there.
See the references [bib2] and [R7.04.04].

Half amplitude of stress:

$$\frac{\Delta\sigma_x/2 \text{ (MPa)} \quad \Delta\sigma_y/2 \text{ (MPa)}}{100.200}$$

Criterion of FATEMI and SOCIE adapted to the nonperiodic loadings: `FATESOCI_MODI_AV`
For this criterion it does not have of results analytical there.
See the references [bib3] and [R7.04.04].

Half amplitude of stress:

$$\frac{\Delta\sigma_x/2 \text{ (MPa)} \quad \Delta\sigma_y/2 \text{ (MPa)}}{100.200}$$

Criterion of Von Mises and TRESCA applied in search of the maximum variation of a stress tensor. The loading can be periodic or not: VMIS_TRESCA

See the reference [R7.04.04].

Half amplitude of stress:

$$\frac{\Delta \sigma_x / 2 \text{ (MPa)} \quad \Delta \sigma_y / 2 \text{ (MPa)}}{100.200}$$

Criterion of Von Mises:

Within the space of stresses with six dimensions:

$$\sigma_s = \sqrt{\frac{1}{2} \left[(\sigma_{xx} - \sigma_{yy})^2 + (\sigma_{yy} - \sigma_{zz})^2 + (\sigma_{zz} - \sigma_{xx})^2 + 6(\sigma_{xy}^2 + \sigma_{xz}^2 + \sigma_{yz}^2) \right]}$$

with $\sigma_{xx} = 200 \text{ MPa}$, $\sigma_{yy} = -400 \text{ MPa}$ and $\sigma_{zz} = \sigma_{xy} = \sigma_{xz} = \sigma_{yz} = 0$, one obtains:

$$\frac{\sigma_s \text{ (MPa)}}{529.15026221292}$$

Criterion of Tresca:

Within the space of principal stresses with three dimensions:

$$\sigma_s = \text{Sup}_{i \neq j} (|\sigma_i - \sigma_j|)$$

with $\sigma_{xx} = 200 \text{ MPa}$, $\sigma_{yy} = -400 \text{ MPa}$ and $\sigma_{zz} = \sigma_{xy} = \sigma_{xz} = \sigma_{yz} = 0$, one obtains:

$$\frac{\sigma_s \text{ (MPa)}}{600}$$

2.4 Results of reference for the modelization C

There is not result of reference for the modelization G. This modelization has as single purpose to test the routines cer3pt.f and raxini.f . Results

2.5 of reference for the modelization D One starts

with a computation of the stress, the total deflection and the plastic strain with command CALC_CHAMP . The results are listed in the following Table by knowing that the other components are equal to zero. The results

are got with the node. formulate NI

t	σ_{xx}	ϵ_{xx}^{tot}	ϵ_{yy}^{tot}	ϵ_{zz}^{tot}	ϵ_{xx}^p	ϵ_{yy}^p	ϵ_{zz}^p
+00 2.50E	+00 5.00E	+00 2.50E	+00 -7.50	+00 -7.50	+00 -1.48	+00 -7.40	+00 -5.98
- 01 5.00E	+01 1.00E	- 04 5.00E	E-05 -1.50	E-05 -1.50	E-20 -4.57	E-20 2.71E	E-20 2.84E
- 01 7.50E	+02 1.50E	- 04 7.50E	E-04 -2.25	E-04 -2.25	E-19 -2.29	- 19 2.15E	- 20 -2.71
- 01 1.00E	+02 2.00E	- 04 1.75E	E-04 -6.75	E-04 -6.75	E-19 7.50E	- 19 -3.75	E-20 -3.75
+00 1.25E	+02 1.50E	- 03 1.50E	E-04 -6.00	E-04 -6.00	- 04 7.50E	E-04 -3.75	E-04 -3.75

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

+00 1.50E	+02 1.00E	- 03 1.25E	E-04 -5.25	E-04 -5.25	- 04 7.50E	E-04 -3.75	E-04 -3.75
+00 1.75E	+02 5.00E	- 03 1.00E	E-04 -4.50	E-04 -4.50	- 04 7.50E	E-04 -3.75	E-04 -3.75
+00 2.00E	+01 1.98E	- 03 7.50E	E-04 -3.75	E-04 -3.75	- 04 7.50E	E-04 -3.75	E-04 -3.75
+00 2.25E	- 08 -5.00	- 04 5.00E	E-04 -3.00	E-04 -3.00	- 04 7.50E	E-04 -3.75	E-04 -3.75
+00 2.50E	E+01 -1.00	-04 2.50E	E-04 -2.25	E-04 -2.25	- 04 7.50E	E-04 -3.75	E-04 -3.75
+00 2.75E	E+02 -1.50	- 04 -7.50	E-04 2.25E	E-04 2.25E	- 04 -7.14	E-04 7.02E	E-04 1.17E
+00 3.00E	E+02 -2.00	E-04 -1.75	- 04 6.75E	- 04 6.75E	E-13 -7.50	- 13 3.75E	- 14 3.75E
+00 3.25E	E+02 -1.50	E-03 -1.50	- 04 6.00E	- 04 6.00E	E-04 -7.50	- 04 3.75E	- 04 3.75E
+00 3.50E	E+02 -1.00	E-03 -1.25	- 04 5.25E	- 04 5.25E	E-04 -7.50	- 04 3.75E	- 04 3.75E
+00 3.75E	E+02 -5.00	E-03 -1.00	- 04 4.50E	- 04 4.50E	E-04 -7.50	- 04 3.75E	- 04 3.75E
+00 4.00E	E+01 3.26E	E-03 -7.50	- 04 3.75E	- 04 3.75E	E-04 -7.50	- 04 3.75E	- 04 3.75E
+00 4.25E	- 09 5.00E	E-04 -5.00	- 04 3.00E	- 04 3.00E	E-04 -7.50	- 04 3.75E	- 04 3.75E
+00 4.50E	+01 1.00E	E-04 -2.50	- 04 2.25E	- 04 2.25E	E-04 -7.50	- 04 3.75E	- 04 3.75E
+00 4.75E	+02 1.50E	E-04 7.50E	- 04 -2.25	- 04 -2.25	E-04 6.51E	- 04 -2.64	- 04 -3.87
+00 5.00E	+02 2.00E	- 04 1.75E	E-04 -6.75	E-04 -6.75	- 12 7.50E	E-12 -3.75	E-12 -3.75
+00 0.00E	+02 0.00E	- 03 0.00E	E-04 0.00E	E-04 0.00E	- 04 0.00E	E-04 0.00E	E-04 Let us define

certain quantities first of all: the deviator

- of the tensor of the stresses: formulate $s = \sigma - \frac{1}{3} tr(\sigma) \cdot I$ identity I the deviator of the tensor of
- the strains is the matrix: formulate $e = \epsilon - \frac{1}{3} tr(\epsilon) \cdot I$ identity One I is the matrix stresses

that the results in interval of time between 0 and 1 second are for the monotonous part of the loading and are not taken into account in the computation of the quantities for the cyclic behavior. Then

, here reference solutions for: "DEPSPE

" : half-amplitude of the equivalent plastic strain: formulate

$$\frac{\Delta \epsilon_{eq}^p}{2} = \frac{1}{2} \max_{t_1} \max_{t_2} \sqrt{\frac{2}{3} (\epsilon^p(t_1) - \epsilon^p(t_2)) : (\epsilon^p(t_1) - \epsilon^p(t_2))} = 7.5E - 4$$

1" : half-amplitude of the first principal strain (with the taking into account of the sign): formulate

$$\frac{\epsilon_{max}^1 - \epsilon_{min}^1}{2} = 7.625E - 04$$

1" : maximum normal stress as regards the principal strain: formulate

$$\max_t (\sigma(t) \cdot n_1(t) \cdot n_1(t)) = 200 \text{ MPa}$$

" : half - amplitude of the hydrostatic pressure (formula P_a

$$P_a = \frac{P_{max} - P_{min}}{2} = 66.6666 \text{ MPa}$$

" : density of dissipated energy: formulate

$$W_{cy} = \int_{cycle} \sigma : \dot{\epsilon}^p dt = 0.45$$

" : density of energy of the elastic distortions: formulate

$$W_e = \int_{cycle} \langle s : \dot{\epsilon}^e \rangle dt = 0.173333$$

" : half-amplitude of the equivalent stress: formulate

$$\frac{\Delta \sigma_{eq}}{2} = \frac{1}{2} \max_{i1} \max_{i2} \sqrt{\frac{3}{2} (s(t_1) - s(t_2)) : (s(t_1) - s(t_2))} = 200 \text{ MPa}$$

1" : half-amplitude of the first principal stress (with the taking into account of the sign): formulate

$$\frac{\sigma_{max}^1 - \sigma_{min}^1}{2} = 100 \text{ MPa}$$

1" : maximum normal strain as regards the principal stress: formulate

$$\max_i (\epsilon(t) \cdot n_i(t) \cdot n_i(t)) = 1.75E-3$$

2S" : half-amplitude of the second invariant of the strain: formulate

$$J_2(\Delta \epsilon) = \frac{1}{2} \max_{i1} \max_{i2} \sqrt{\frac{2}{3} (e(t_1) - e(t_2)) : (e(t_1) - e(t_2))} = 1.616666E-3$$

" : half-amplitude of half-forced Tresca: "DEPTRE

$$\frac{\sigma_{max}^{Tresca} - \sigma_{min}^{Tresca}}{4} = 50 \text{ MPa}$$

" : half-amplitude of the Tresca half-strain: "EPSPAC

$$\frac{\epsilon_{max}^{Tresca} - \epsilon_{min}^{Tresca}}{4} = 6.0625E-4$$

" : plastic strain accumulated: Results

$$p = 3.67423E-3$$

2.6 of reference for the modelization E the results

are got with the node. 0.00 NI E

t	σ_{xx}	σ_{yy}	ϵ_{xx}^{tot}	ϵ_{yy}^{tot}	ϵ_{zz}^{tot}	ϵ_{xx}^p	ϵ_{yy}^p	ϵ_{zz}^p
+0 2.50E	+00 3.00E	+00 -2.00	+00 1.80E	+00 -1.45	+00 -1.50	+00 -6.73	+00 -2.69	+00 2.84E
- 1 5.00E	+02 6.00E	E+02 -4.00	- 03 3.60E	E-03 -2.90	E-04 -3.00	E-19 -4.71	E-18 -4.39	- 19 2.61E
- 1 7.50E	+02 9.00E	E+02 -6.00	- 03 1.10E	E-03 -9.26	E-04 -1.15	E-19 5.61E	E-18 -4.91	- 19 -7.01
- 1 1.00E	+02 1.20E	E+02 -8.00	- 02 1.88E	E-03 -1.60	E-03 -2.05	- 03 1.16E	E-03 -1.02	E-04 -1.45
+0 1.25E	+03 9.00E	E+02 -6.00	- 02 1.70E	E-02 -1.45	E-03 -1.90	- 02 1.1	E-02 -1.	E-03 -1.
+0 1.50E	+02 6.00E	E+02 -4.00	- 02 1.52E	E-02 -1.31	E-03 -1.75	6 E-0 2 1. 1	02E-02	4 5th-03 -
+0 1.75E	+02 3.00E	E+02 -2.00	- 02 1.34E	E-02 -1.16	E-03 -1.60	6th-02 1. 1	-1.02	1.
+0 2.00E	+02 2.30E	E+02 -3.07	- 02 1.16E	E-02 -1.02	E-03 -1.45	6th-02 1. 1	E-02 -1.02	4 5th-03 -
+0 2.25E	- 13 3.00E	E-13 -2.00	- 02 1.34E	E-02 -1.16	E-03 -1.60	6th-02 1. 1	E-02 -1.02	1.
+0 2.50E	+02 6.00E	E+02 -4.00	- 02 1.52E	E-02 -1.31	E-03 -1.75	6th-02 1. 1	E-02 -1.02	4 5th-03 -
+0 2.75E	+02 9.00E	E+02 -6.00	- 02 1.70E	E-02 -1.45	E-03 -1.90	6th-02 1. 1	E-02 -1.02	1.
+0 3.00E	+02 6.00E	E+02 -4.00	- 02 1.52E	E-02 -1.31	E-03 -1.75	6th-02 1. 1	E-02 -1.02	4 5th-03 -
+0 3.25E	+02 3.00E	E+02 -2.00	- 02 1.34E	E-02 -1.16	E-03 -1.60	6th-02 1. 1	E-02 -1.02	1.
+0 3.50E	+02 -4.35	E+02 -8.66	- 02 1.16E	E-02 -1.02	E-03 -1.45	6th-02 1. 1	E-02 -1.02	4 5th-03 -
+0 0.00E	E-14 0.00E	E-13 0.00E	- 02 0.00E	E-02 0.00E	E-03 0.00E	6th-02 0.00E	E-02 -1.02 E-02 0.00E	4 5th-03 - 1. 4 5th-03 - 1. 4 5th-03 - 1.

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

								1. 4 5th-03 - 1. 4 5th-03 One stresses
--	--	--	--	--	--	--	--	---

that the results in interval of time between 0 and 1 second are for the monotonous part of the loading and are not taken into account in the computation of the quantities for the cyclic behavior. For

the reference solutions we calculated the damage (via ENDO1) with the various quantities available for a nonperiodic loading: "SIPR

1_1": first principal stress of the first top of under cycle (formula $\sigma_1(1)$ SIPR

1_2": first principal stress of the second top of under cycle (formula $\sigma_1(2)$ One uses

the half-amplitude of the stress of the top of the first cycle, namely and 600 MPa the half-amplitude of the stress of the top of the second cycle, namely then 450 Mpa one adds the damages associated with these two amplitudes. One evaluates

the criterion here following: formulate
$$\frac{|SIPR1 - SIPR2|}{2}$$

- the formula of Basquin: formulate grandeur équivalente = $4098.3 \times (NBRUP)^{-0.2693}$
and for $NBRUP1=1255$ the damage: then $D1=7.968963E-04$ and for $NBRUP2=3652$ the damage: that is to say $D2=2.738186E-04$ a total damage equal to: with $D=1.0707149E-03$
- an interpolation of the curve of Wöhler: one finds
and for $NBRUP1=742$ the damage: . One $D=1.347073E-03$ finds and for $NBRUP2=1742$ the damage: that is to say $D=5.741842E-04$ a total damage equal to: "SITN $D=1.9212575E-03$

1_1": normal stress on the level associated with formula $\epsilon_1^{tot}(1)$ top with the under-cycle and "SITN

1_2": normal stress on the level associated with formula $\epsilon_1^{tot}(2)$ top with the under-cycle: One uses

the half-amplitude of the associated stress formulates $\epsilon_1^{tot}(1)$ namely and 600 MPa the half-amplitude of the associated stress formulates $\epsilon_1^{tot}(2)$ namely then 450 MPa one adds the damages associated with these two amplitudes. One evaluates

the criterion here following: formulate
$$\frac{|SITN1 - SITN2|}{2}$$

- the formula of Basquin: formulate grandeur équivalente = $4098.3 \times (NBRUP)^{-0.2693}$
and for $NBRUP1=1255$ the damage: then $D1=7.968963E-04$ and for $NBRUP2=3652$ the damage: that is to say $D2=2.738186E-04$ a total damage equal to: with $D=1.0707149E-03$
- an interpolation of the curve of Wöhler: one finds
and for $NBRUP1=742$ the damage: one finds $D=1.347073E-03$ and for $NBRUP2=1742$ the damage: that is to say $D=5.741842E-04$ a total damage equal to: "SIPN $D=1.9212575E-03$

1_1": normal stress on the level associated with formula $\epsilon_1^p(1)$ top with the under-cycle and "SIPN

1_2": normal stress on the level associated with formula $\epsilon_1^p(2)$ top with the under-cycle: One uses

the value the half-amplitude of the associated stress formulates $\epsilon_1^p(1)$ namely has and 600 Mpa the half-amplitude of the associated stress formulates $\epsilon_1^p(2)$ namely One evaluates 450 Mpa

the criterion here following: formulate $\frac{SIPN1 - SIPN2}{2}$

- the formula of Basquin: formulate $grandeur_equivalente = 4098.3 \times (NBRUP^{-0.2693})$
and for $NBRUP1 = 1255$ the damage: then $DI = 7.968963E - 04$ and for $NBRUP2 = 3652$ the damage: that is to say $D2 = 2.738186E - 04$ a total damage equal to: with $D = 1.0707149E - 03$
- an interpolation of the curve of Wöhler: one finds
and for $NBRUP1 = 742$ the damage: one finds $D = 1.347073E - 03$ and for $NBRUP2 = 1742$ the damage: that is to say $D = 5.741842E - 04$ a total damage equal to: "SIGEQ $D = 1.9212575E - 03$

1": equivalent stress of the first top of the under-cycle formulates $\sigma{eq}(1)$ SIGEQ

2": equivalent stress of the second top of the under-cycle formulates $\sigma{eq}(2)$ calculates

the equivalent stress for SIGEQ_1: then

$$\frac{\Delta \sigma_{eq}}{2} = \frac{1}{2} \max_{t_1} \max_{t_2} \sqrt{\frac{3}{2} (s(t_1) - s(t_2)) : (s(t_1) - s(t_2))} = 871.78 \text{ MPa}$$

for SIGEQ_2: formulate

$$\frac{\Delta \sigma_{eq}}{2} = \frac{1}{2} \max_{t_1} \max_{t_2} \sqrt{\frac{3}{2} (s(t_1) - s(t_2)) : (s(t_1) - s(t_2))} = 653.83 \text{ MPa}$$

evaluates the criterion here following: formulate $\frac{SIGEQ1 - SIGEQ2}{2}$

- the formula of Basquin: formulate $grandeur_equivalente = 4098.3 \times (NBRUP^{-0.2693})$
3 and $NBRUP1 = 31$ for the damage: then $DI = 3.1908789E - 03$ and for $NBRUP2 = 912$ the damage: that is to say $D2 = 1.0964061E - 03$ a total damage equal to: with $D = 4.287285E - 03$
- an interpolation of the curve of Wöhler: one finds
and for $NBRUP1 = 244$ the damage: one finds $D = 4.1E - 03$ and for $NBRUP2 = 582$ the damage: that is to say $D = 1.7175686E - 03$ a total damage equal to: Results $D = 5.8176E - 03$

2.7 of reference for the modelization F the results

are got with the node. Results NI

•obtained with SOL_NL : 0.00 E

t	σ_{xx}	σ_{yy}	ϵ_{xx}^{tot}	ϵ_{yy}^{tot}	ϵ_{zz}^{tot}
+0 2.50E	+00 3.00E	+00 -1.50	+00 1.725	+00 -1.20	+00 -2.25
- 1 5.00E	+02 6.00E	E+02 -3.00	E-03 3.45E	E-03 -2.40	E-04 -4.50
- 1 7.50E	+02 9.00E	E+02 -4.50	- 03 5.175	E-03 -3.60	E-04 -6.75
- 1 1.00E	+02 1.20E	E+02 -6.00	E-03 6.90E	E-03 -4.80	E-04 -9.00
+0 1.25E	+03 9.00E	E+02 -4.50	- 03 5.175	E-03 -3.60	E-04 -6.75
+0 1.50E	+02 6.00E	E+02 -3.00	E-03 3.45E	E-03 -2.40	E-04 -4.50
+0 1.75E	+02 3.00E	E+02 -1.50	- 03 1.725	E-03 -1.20	E-04 -2.25
+0 2.00E	+02 8.82E	E+02 8.82E	E-03 -7,92	E-03 - 1.	E-04 -1.85
+0 2.25E	- 26 3.00E	- 26 -1.50	E-33 1.725	39 E 32 -1.20	E-32 -2.25
+0 2.50E	+02 6.00E	E+02 -3.00	E-03 3.45E	E-03 -2.40	E-04 -4.50
+0 2.75E	+02 9.00E	E+02 - 4.5	- 03 5 .1	E-03 - 3.	E-04 -6.75

+0 3.00E	+02 6.00E	0E+ 02 -3.00	75 E-0 3	60 E-0 3	E-04 -4.50
+0 3.25E	+02 3.00E	E+02 -1.50	3.45E	-2.40	E-04 -2.25
+0 3.50E	+02 7.88E	E+02 -5.15	- 03 1.725	E-03 -1.20	E-04 3.52E
+0 0.00E	- 14 0.00E	E-13 0.00E	E-03 1.26E	E-03 -2.60	- 19 "EPSN
			- 18 0.00E	E-18 0.00E	

1_1": normal strain on the level associated with formula $\sigma_1(1)$ top with the under-cycle and "EPSN
1_2": normal strain on the level associated with formula $\sigma_1(2)$ top with the under-cycle: One uses

the total half-strain most important met during the first under cycle, that is to say here and 0.00345 the total half-strain the most important met during second under cycle: . And 0.0025875 one

evaluates the criterion here following: formulate
$$\frac{|EPSN1 - EPSN2|}{2}$$

- the formula of Manson: formulate $grandeur_equivalente = 0,022524751x(NBRUP^{-0,1619})$ and for $NBRUP1 = 107892$ the damage: one finds $D1 = 9.268535 E - 06$ and for $NBRUP2 = 637811$ the damage: that is to say $D2 = 1.5678624479 E - 06$ a total damage equal to: with $D = 1.08363973 E - 05$
- an interpolation of the curve of Manson-Whetstone sheath: one finds 4 and $NBRUP1 = 3636$ for the damage: one finds $D1 = 2.74994 E - 05$ and for $NBRUP2 = 193932$ the damage: $D2 = 5.156443564 E - 06$ are a total damage equal to: "ETPR $D = 3.2655868578 E - 05$

1_1": first principal total deflection of the first top of the under-cycle formulates $\epsilon_1^{tot}(1)$
1_2": first principal total deflection of the second top of the under-cycle formulates $\epsilon_1^{tot}(2)$ uses

the total half-strain most important met during the first under cycle, that is to say here and 0.00345 the total half-strain the most important met during second under cycle: . And 0.0025875 one

evaluates the criterion here following: formulate
$$\frac{|ETPR1 - ETPR2|}{2}$$

- the formula of Manson: formulate $grandeur_equivalente = 0.022524751x(NBRUP^{-0,1619})$ and for $NBRUP1 = 107892$ the damage: one finds $D1 = 9.268535 E - 06$ and for $NBRUP2 = 637811$ the damage: that is to say $D2 = 1.5678624479 E - 06$ a total damage equal to: with $D = 1.08363973 E - 05$
- an interpolation of the curve of Manson-Whetstone sheath: one finds and for $NBRUP1 = 36364$ the damage: one finds $D1 = 2.74994 E - 05$ and for $NBRUP2 = 193932$ the damage: that is to say $D2 = 5.156443564 E - 06$ a total damage equal to: "ETEQ $D = 3.2655868578 E - 05$

1": equivalent total deflection of the first top of the under-cycle formulates $\epsilon{eq}^{tot}(1)$
2": equivalent total deflection of the second top of the under-cycle formulates $\epsilon{eq}^{tot}(2)$

the equivalent total deflection for the first under-cycle with the formula: formulate $\epsilon_{eq} = \sqrt{\frac{2}{3}} e$: e formula is

found $\frac{1}{2} \epsilon_{eq}^{tot}(1) = 0.0034394767$ the second under-cycle: formulate $\frac{1}{2} \epsilon_{eq}^{tot}(2) = 0.0025796$

- the formula of Manson: formulate $grandeur_equivalente = 0.022524751 \times (NBRUP^{-0.1619})$ and for $NBRUP1 = 109947$ the damage: one finds $D1 = 9.09528647 E - 06$ and for $NBRUP2 = 649960$ the damage: that is to say $D2 = 1.5385558 E - 06$ a total damage equal to: with $D = 1.0633842276096 E - 05$
- an interpolation of the curve of Manson-Whetstone sheath: one finds and for $NBRUP1 = 36929$ the damage: one finds $D1 = 2.707933 E - 05$ and for $NBRUP2 = 197585$ the damage: that is to say $D2 = 5.061111575 E - 06$ a total damage equal to: Results $D = 3.214044324622 E - 05$

• obtained with SOL_NL 2: 0.00 E

t	σ_{xx}	ϵ_{xx}^{tot}	ϵ_{yy}^{tot}	ϵ_{zz}^{tot}
+0 5.00E	+00 6.00E	+00 3.00E	+00 -9.00	+00 -9.00
- 1 1.00E	+02 1.20E	- 03 1.05E	E-04 -4.05	E-04 -4.05
+0 1.50E	+03 6.00E	- 02 7.50E	E-03 -3.15	E-03 -3.15
+0 2.00E	+02 -9.	- 03 4.50E	E-03 -2.25	E-03 -2.25
+0 2.5625	12th-1 3 -6.75	- 03 -1.91	E-03 -6.75	E-03 -6.75
E+0 3.0625	E+02 1.125	E-13 3.9375	E-04 -1.86	E-04 -1.86
E+0 3.5625	E+02 9.00E	E-03 7.875	E-03 -3.0375	E-03 -3.0375
E+0 4.0625	+02 1.125	E-03 3.9375	E-03 - 1.86	E-03 - 1.86
E+0 4.5625	E+02 -6.75	E-03 -1.91	E-03 - 6.75	E-03 -6.75
E+0 0.00E	E+02 0.00E	E-13 0.00E	E-0 4 0.00E	E-04 "EPSN

1_1": normal strain on the level associated with formula $\sigma_1(1)$ top with the under-cycle and "EPSN

1_2": normal strain on the level associated with formula $\sigma_1(2)$ top with the under-cycle: One uses

the total half-strain most important met during the first under cycle, that is to say here and 0.00525 the half total deflection the most important met during second under cycle: . And 0.0039375 one

evaluates the criterion here following: formulate $\frac{|EPSN1 - EPSN2|}{2}$

- the formula of Manson: formulate $grandeur_equivalente = 0.022524751 \times (NBRUP^{-0.1619})$ and for $NBRUP1 = 8067$ the damage: one finds $D1 = 1.239547 E - 04$ and for $NBRUP2 = 47691$ the damage: that is to say $D2 = 2.0968145 E - 05$ a total damage equal to: with $D = 1.449229 E - 04$
- an interpolation of the curve of Manson-Whetstone sheath: one finds and for $NBRUP1 = 5260$ the damage: one finds $D1 = 1.901065 E - 04$ and for $NBRUP2 = 19698$ the damage: that is to say $D2 = 5.0767 E - 05$ a total damage equal to: "ETPR $D = 2.408735 E - 04$

1_1": first principal total deflection of the first top of the under-cycle formulates $\epsilon_1^{tot}(1)$

1_2": first principal total deflection of the second top of the under-cycle formulates $\epsilon_1^{tot}(2)$ uses

the total half-strain most important met during the first under cycle, that is to say here and 0.00345 the total half-strain the most important met during second under cycle: . And 0.0025875 one

evaluates the criterion here following: formulate $\frac{|ETPR1 - ETPR2|}{2}$

- the formula of Manson: formulate $grandeur_equivalente = 0.022524751 \times (NBRUP^{-0.1619})$
and for $NBRUP1 = 8067$ the damage: one finds $D1 = 1.239547 E - 04$ and for $NBRUP2 = 47691$
the damage: that is to say $D2 = 2.0968145 E - 05$ a total damage equal to: with
 $D = 1.449229 E - 04$
- an interpolation of the curve of Manson-Whetstone sheath: one finds
and for $NBRUP1 = 5260$ the damage: one finds $D1 = 1.901065 E - 04$ and for $NBRUP2 = 19698$
the damage: that is to say $D2 = 5.0767 E - 05$ a total damage equal to: "ETEQ $D = 2.408735 E - 04$

1": equivalent total deflection of the first top of the under-cycle formulates $\epsilon{eq}^{tot}(1)$

2": equivalent total deflection of the second top of the under-cycle formulates $\epsilon{eq}^{tot}(2)$

the equivalent total deflection for the first under-cycle with the formula: formulate $\epsilon_{eq} = \sqrt{\frac{2}{3} e : e}$ formula is

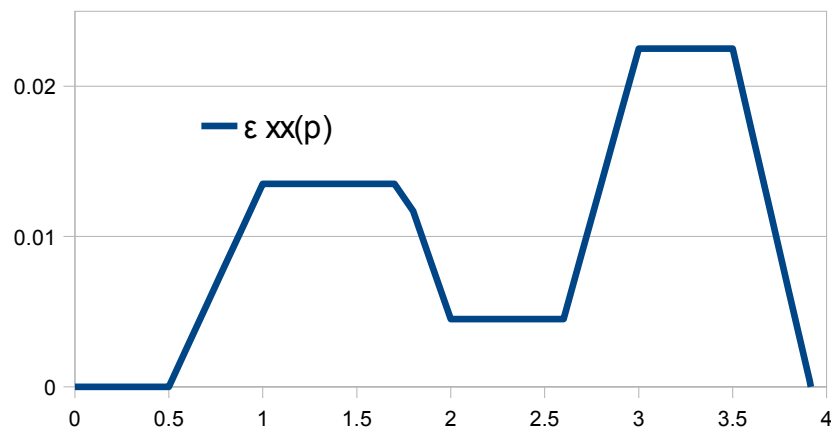
found $\frac{1}{2} \epsilon_{eq}^{tot}(1) = 0.004625$ the second under-cycle, one finds formula $\frac{1}{2} \epsilon_{eq}^{tot}(2) = 0.0034125$

- the formula of Manson: formulate $grandeur_equivalente = 0.022524751 \times (NBRUP^{-0.1619})$
and for $NBRUP1 = 17650$ the damage: one finds $D1 = 5.6657 E - 05$ and for $NBRUP2 = 115427$
the damage: that is to say $D2 = 8.66351 E - 06$ a total damage equal to: with
 $D = 6.53204991 E - 05$
- an interpolation of the curve of Manson-Whetstone sheath: one finds
and for $NBRUP1 = 9411$ the damage: one finds $D1 = 1.062557 E - 04$ and for $NBRUP2 = 38423$
the damage: that is to say $D2 = 2.60258665 E - 05$ a total damage equal to: Results
 $D = 1.322816 E - 04$

•obtained with SOL_NL 3: 0.00 E

t	σ_{xx}	ϵ_{xx}^{tot}	ϵ_{yy}^{tot}	ϵ_{zz}^{tot}	ϵ_{xx}^p	ϵ_{yy}^p	ϵ_{zz}^p
+0 5.00E	+00 9.00E	+00 4.50E	+00 -1.35	+00 -1.35	+00 1.51E	+00	+00 -7.51
- 1 1.00E	+02 1.80E	- 03 2.25E	E-03 -9.45	E-03 -9.45	- 18 1.35E	1.09E	E-19 -6.75
+0 1.50E	+03 6.00E	- 02 1.65E	E-03 -7.65	E-03 -7.65	- 02 1.35E	- 18 -6.75	E-03 -6.75
+0 2.00E	+02	- 02 1.50E	E-03 -1.35	E-03 -1.35	- 02 4.50E	E-03 -6.75	E-03 - 2.
+0 2.50E	-6.00E+02	- 03 9.00E	E-03 -3.60	E-03 -3.60	- 03 4. 50	E-03 - 2.	25 E-0 3
+0 3.00E	9.00E	- 03 3.45E	E-03 -1.485	E-03 -1.485	E-0 3 2. 25	25 E-0 3	-2.25
+0 3.50E	+02 2.40E	- 02 2.55E	E-02 -1.215	E-02 -1.215	E-02 2. 25	-2.25	E-03 -1.125
+0 3.91667	+03 6.00E	- 02 -4.50	E-02 1.35	E-02 1.35E	E-02 -5.55	E-03 -1.125	E-02 -1.125
E+0 0.00E	+02 -9.00	E-03 0.00E	E-03 0.00E	- 03 0.00E	E-11 0.00E	E-02 -1.125	E-02 2. 86
	E+02 0.00E					E-02 2.69E	E 11 With
						- 11 0.00E	this
							intention

a better idea of what interests us here, namely formula ϵ_{xx}^p the maximum values of the plastic strain are according to the direction, here xx evolution of formula ϵ_{xx}^p time: "EPR



1_1": first principal plastic strain of the first top of the under-cycle and "EPR $\epsilon_1^p(1)$

1_2": first principal plastic strain of the second top of the under-cycle formulates $\epsilon_1^p(2)$ evaluates

the criterion here following: formulate $\frac{|EPPR1 - EPPR2|}{2}$

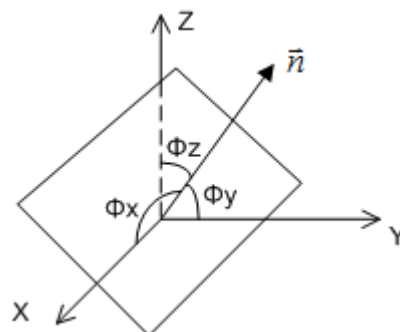
, here the value of formula ϵ_{xx}^p null at the end of the first under cycle, therefore for formula $\frac{EPPR1}{2}$:

formulate $\frac{0.0135 - 0.0045}{2} = 0.0045$ formula $\frac{EPPR2}{2}$ obtains more directly: . with 0,01125

- the formula of Manson: formulate $\text{grandeur_equivalente} = 0.022524751 \times (NBRUP^{-0.1619})$
and for $NBRUP1 = 20905$ the damage: one finds $D1 = 4.7836 E - 05$ and for $NBRUP2 = 73$ the
damage: that is to say $D2 = 1.37307 E - 02$ a total damage equal to: with $D = 1.377855 E - 02$
- an interpolation of the curve of Manson-Whetstone sheath: one finds
and for $NBRUP1 = 10672$ the damage: one finds $D1 = 9.37 E - 05$ and for $NBRUP2 = 478$ the
damage: that is to say $D2 = 2.0921444 E - 03$ a total damage equal to: Results
 $D = 2.185844 E - 03$

2.8 of reference for the modelization G the analytical

solutions of the directional sense of the critical plane are in [bib4]. Down the direction of the critical plane is laid by angles (formulated ϕ_x ϕ_y ϕ_z the vector norm of the critical plane and the axes as shown in the figure above. It is noted



that for criteria DANG_VAN_MODI_AC and of MATAKE_MODI_AC , the critical plane is the plane of the maximum shears. For the criteria of DANG_VAN_MODI_AV , MATAKE_MODI_AC and FATESOCI_MODI_AV the critical plane is the plane of the maximum damage. With

the conditions of the loadings listed in Section 1.4.6, the analytical solutions of reference for this modelization are following the Criterion

- of DANG_VAN_MODI_AC the angle between the vector norm of the critical plane and the axis is Z degrees 45 . Criterion
- of MATAKE_MODI_AC the angle between the vector norm of the critical plane and the axis formula Z formula 45 . Criterion
- of DANG_VAN_MODI_AV the angle between the vector norm of the critical plane and the axis formula Z formula 45 . Criterion
- of MATAKE_MODI_AV the angle between the vector norm of the critical plane and the axis formulates Z formula α

$$\phi_z = \arccos\left(\frac{\sqrt{2}}{2} \sqrt{1 - \sqrt{1 - \frac{1}{a^2 + 2a^2\alpha + a^2\alpha^2 + 1}}}\right)$$

formulated a a property matériel obtained by parameter MATAKE_A and formulated $a=0.05$ in this benchmark. Criterion

- of FATESOCI_MODI_AV the angle between the vector norm of the critical plane and the axis formulates Z formula α

$$\phi_z = \arccos\left(\frac{\sqrt{2}}{4} \sqrt{5 + A_1 - \sqrt{1 + A_1^2 + 8}}\right)$$

. $A_1 = \frac{2S_y}{a\sigma_{x,a}(1+\alpha)}$ The elastic limit formulated $S_y = 208 \text{ MPa}$ $a = 0.05$, the parameter of

FATSOC_A east J $a/S_y = 0.00024$

2.9 bibliographical References

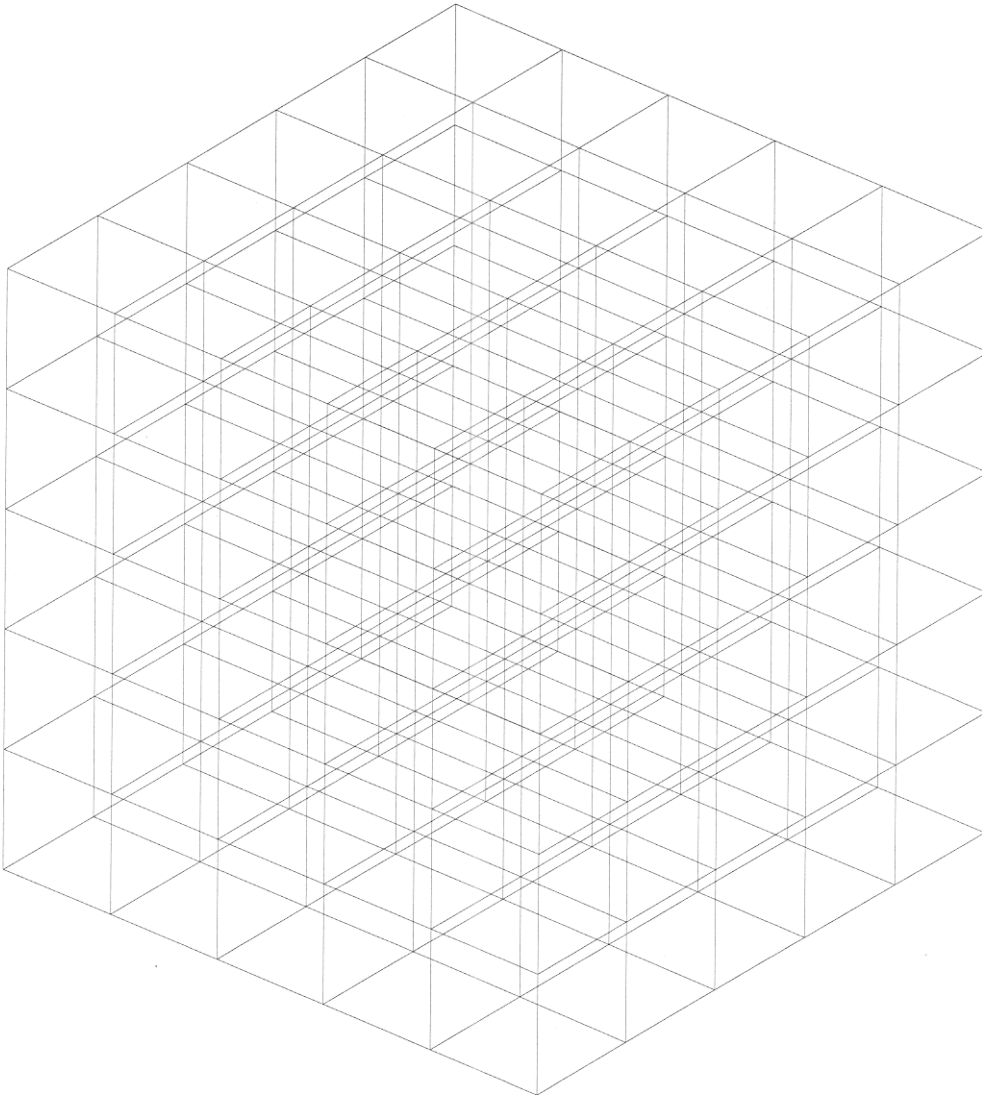
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2. J., PAPACONSTANTINO T. "multiaxial Criteria of starting in fatigue to great number D cycles under nonperiodic loading", Project FATMAV, Note EDF HT-64/04/006A, 2004 ANGLES
3. J. "Synthesis on the criteria of starting in fatigue multiaxial to great number D cycles developed in Code_Aster ", Project Tires Thermal, Note EDF HT-64/05/019A, 2005 LEI B
4. , TRAN V. - X. "Carryforward one the 2nd semi anual meeting for the collaborative PhD project between EDF R & D and Tsinghua University (July 2012 – January 2013)", Report CR-AMA-13.021 Modelization

3 A Characteristic

3.1 of the modelization This benchmark

tests criteria MATAKE_MODI_AC , DANG_VAN_MODI_AC , VMIS_TRESCA, criterion formulates some for the periodic and biaxial loading proportional ; Characteristics

3.2 of the mesh Modelization



3D: 125 quadratic volume elements: HEXA8. Appear

of the mesh of the cube The mesh

of the cube was obtained from the version 2000 of mesh generator GIBI. Many

nodes: 216 Number
of meshes

: 465 Quantities

3.3 tested and results Criterion

- "MATAKE_MODI_AC " and associated criterion in formula: For the results with the node formulates $N1$ the mesh formulates $M60$ Gauss 3) the option COURBE_GRD_VIE = "WOHLER " and the option COURBE_GRD_VIE = "FORM_VIE " and FORMULE_VIE = WHOL: Standard

identification	of reference Value of reference	Tolerance	formulates
$\Delta\tau(n_1)$	" 1. 500000	E + 02 1.0 E	10 component
formulate $x n_1$	" - 7.071068	E - 01.1.0 E	10 component
formulates $y n_1$	" 7.071068	E - 01.1.0 E	10 component
formulate $z n_1$	" 0.0.1.0	E	10 formulates
$N_{\max}(n_1)$	" 5.000000	E+01 1.0E-	10 formula
$N_m(n_1)$	" 0.0.1.0	E	10 formulates
$\varepsilon_{\max}(n_1)$	" 1.750000	E - 04.1.0 E	10 formulates
$\varepsilon_m(n_1)$	" 0.0.1.0	E	10 E
$\sigma_{eq}(n_1)$	ANALYTIQUE"	3.000000 E+02	1.0E- 10
$Nb_{cr}(n_1)$	ANALYTIQUE"	1.094600 E+04	1.0E- 10
$ENDO(n_1)$	ANALYTIQUE"	9.135647 - 05.1.0 E	10 formulate
$\Delta\tau(n_2)$	" 1. 500000	E + 02 1.0 E	10 component
formulate $x n_2$	" 7.071068	E - 01.1.0 E	10 component
formulate $y n_2$	" 7.071068	E - 01.1.0 E	10 component
formulates $z n_2$	" 0.0.1.0	E	10 formulates
$N_{\max}(n_2)$	" 5.000000	E+01 1.0E-	10 formula
$N_m(n_2)$	" 0.0.1.0	E	10 formulates
$\varepsilon_{\max}(n_2)$	" 1.750000	E - 04.1.0 E	10 formulate
$\varepsilon_m(n_2)$	" 0.0.1.0	E	10 E
$\sigma_{eq}(n_2)$	ANALYTIQUE"	3.000000 E+02	1.0E- 10
$Nb_{cr}(n_2)$	ANALYTIQUE"	1.094600 E+04	1.0E- 10
$ENDO(n_2)$	ANALYTIQUE"	9.135647 - 05.1.0 E	10 the option

COURBE_GRD_VIE = "FORM_VIE " and FORMULE_VIE = WHOL_F: Standard

identification	of reference Value of reference	Tolerance	formulates
$\Delta \tau(n_1)$	" 1. 500000	E + 02 1.0 E	10 component
formulate $x \ n_1$	" - 7.071068	E - 01.1.0 E	10 component
formulates $y \ n_1$	" 7.071068	E - 01.1.0 E	10 component
formulate $z \ n_1$	" 0.0.1.0	E	10 formulates
$N_{\max}(n_1)$	" 5.000000	E+01 1.0E-	10 formula
$N_m(n_1)$	" 0.0.1.0	E	10 formulates
$\epsilon_{\max}(n_1)$	" 1.750000	E - 04.1.0 E	10 formulates
$\epsilon_m(n_1)$	" 0.0.1.0	E	10 formulates
$\sigma_{eq}(n_1)$	" 3.000000	E+02 1.0E-	10 formula
$Nb_{cr}(n_1)$	" 1.094600	E+04 4.0E-	03 formula
$ENDO(n_1)$	" 1.6519	E+04 4.0E-	03 formula
$\Delta \tau(n_2)$	" 6.05356	E-05 1.0E-	10 component
formulates $x \ n_2$	" 7.071068	E - 01.1.0 E	10 component
formulates $y \ n_2$	" 7.071068	E - 01.1.0 E	10 component
formulate $z \ n_2$	" 0.0.1.0	E	10 formulates
$N_{\max}(n_2)$	" 5.000000	E+01 1.0E-	10 formula
$N_m(n_2)$	" 0.0.1.0	E	10 formulates
$\epsilon_{\max}(n_2)$	" 1.750000	E - 04.1.0 E	10 formulates
$\epsilon_m(n_2)$	" 0.0.1.0	E	10 formulates
$\sigma_{eq}(n_2)$	" 3.000000	E+02 1.0E-	10 formula
$Nb_{cr}(n_2)$	" 1.6519	E+04 4.0E-	03 formula
$ENDO(n_2)$	" 6.05356	E-05 4.0E-	03 Criterion

•“DANG_VAN_MODI_AC ” and associated criterion in formula: For

the results with the node **formulates NI** the mesh **formulates M60 Gauss 3)** the option

COURBE_GRD_VIE = "WOHLER " and the option

COURBE_GRD_VIE = "FORM_VIE " and FORMULE_VIE = "WHOL": Standard

identification	of reference Value of reference	Tolerance	formulates
$\Delta \tau(n_1)$	" 1. 500000	E + 02 1.0 E	10 component

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

formulate x n_1	" 7.071068	E – 01.1.0 E	10 component
formulate y n_1	" 7.071068	E – 01.1.0 E	10 component
formulates z n_1	" 0.0.1.0	E	10 formulates
$N_{\max}(n_1)$	" 5.000000	E+01 1.0E-	10 formula
$N_m(n_1)$	" 0.0.1.0	E	10 formulates
$\varepsilon_{\max}(n_1)$	" 1.750000	E – 04.1.0 E	10 formulate
$\varepsilon_m(n_1)$	" 0.0.1.0	E	10 E
$\sigma_{eq}(n_1)$	ANALYTIQUE"	2.750000 E+02	1.0E- 10
$Nb_{cr}(n_1)$	ANALYTIQUE"	1.490300 E+04	1.0E- 10
$ENDO(n_1)$	ANALYTIQUE"	6.709959 – 05.1.0 E	10 formulates
$\Delta \tau(n_2)$	" 1. 500000	E + 02 1.0 E	10 component
formulate x n_2	" - 7.071068	E – 01.1.0 E	10 component
formulates y n_2	" 7.071068	E – 01.1.0 E	10 component
formulate z n_2	" 0.0.1.0	E	10 formulates
$N_{\max}(n_2)$	" 5.000000	E+01 1.0E-	10 formula
$N_m(n_2)$	" 0.0.1.0	E	10 formulates
$\varepsilon_{\max}(n_2)$	" 1.750000	E – 04.1.0 E	10 formulates
$\varepsilon_m(n_2)$	" 0.0.1.0	E	10 E
$\sigma_{eq}(n_2)$	ANALYTIQUE"	2.750000 E+02	1.0E- 10
$Nb_{cr}(n_2)$	ANALYTIQUE"	1.490300 E+04	1.0E- 10
$ENDO(n_2)$	ANALYTIQUE"	6.709959 – 05.1.0 E	10 the option

COURBE_GRD_VIE = "FORM_VIE " and FORMULE_VIE = WHOL_F: Standard

identification	of reference Value of reference	Tolerance	formulates
$\Delta \tau(n_1)$	" 1. 500000	E + 02 1.0 E	10 component
formulate x n_1	" 7.071068	E – 01.1.0 E	10 component
formulate y n_1	" 7.071068	E – 01.1.0 E	10 component
formulates z n_1	" 0.0.1.0	E	10 formulates

$N_{\max}(n_1)$	" 5.000000	E+01 1.0E-	10 formula
$N_m(n_1)$	" 0.0.1.0	E	10 formulates
$\varepsilon_{\max}(n_1)$	" 1.750000	E - 04.1.0 E	10 formule
$\varepsilon_m(n_1)$	" 0.0.1.0	E	10 formulates
$\sigma_{eq}(n_1)$	" 2.750000	E+02 1.0E-	10 formula
$Nb_{cr}(n_1)$	" 2.2822	E+04 5.0E-	03 formula
$ENDO(n_1)$	" 4.381737	E-05 5.0E-	03 formula
$\Delta\tau(n_2)$	" 1. 500000	E + 02 1.0 E	10 component
formulate x n_2	" - 7.071068	E - 01.1.0 E	10 component
formulates y n_2	" 7.071068	E - 01.1.0 E	10 component
formulate z n_2	" 0.0.1.0	E	10 formulates
$N_{\max}(n_2)$	" 5.000000	E+01 1.0E-	10 formula
$N_m(n_2)$	" 0.0.1.0	E	10 formulates
$\varepsilon_{\max}(n_2)$	" 1.750000	E - 04.1.0 E	10 formulates
$\varepsilon_m(n_2)$	" 0.0.1.0	E	10 formulates
$\sigma_{eq}(n_2)$	" 2.750000	E+02 1.0E-	10 formula
$Nb_{cr}(n_2)$	" 2.2822	E+04 5.0E-	03 formula
$ENDO(n_2)$	" 4.381737	E-05 5.0E-	03 Criterion

•" VMIS_TRESCA "For

nodes: N1; N206; Net : M60 (Gauss point : 3) Standard

Identification	of reference Value of reference	Tolerance	(Time
σ_{xx} : 3) "ANALYTIQUE	" - 1.00000	E+02 1.0E-	10 (Time
σ_{yy} : 3) "ANALYTIQUE	" 2.00000	E+02 1.0E-	10 formula
σ_s) "ANALYTIQUE	" 529.15026	E+02 1.0E-	10 formula
σ_s) "ANALYTIQUE	" 600.00000	E+02 1.0E-	10 For

nodes: N1; N206; Net: M60 (Gauss point: 7) Standard

Identification	of reference Value of reference	Tolerance	formulates
σ_{xx} : 3) "ANALYTIQUE	" - 1.00000	E+02 1.0E-	10 formula

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

σ_{yy} : 3) "ANALYTIQUE	" 2.00000	E+02 1.0E-	10 formula
σ_s) "ANALYTIQUE	" 529.15026	E+02 1.0E-	10 formula
σ_s) "ANALYTIQUE	" 600.00000	E+02 1.0E-	10 Criterion

• formulate some finding" VMIS_TRESCA "Results

with the node formulates *NI* the mesh formulates *M60 Gauss 3 and 7) Standard*

Identification	of reference Value of reference	Tolerance	formulates
σ_s) "ANALYTIQUE	" 529.15026	E+02 1.0E-	10 Modelization

4 B Characteristic

4.1 of the modelization This case

- tests test of criteria MATAKE_MODI_AV , DANG_VAN_MODI_AV , FATESOCI_MODI_AV , criterion formulates some for the loading NON-periodical and biaxial and proportional; Characteristics

4.2 of the mesh Identical

to modelization A. Grandeurs

4.3 tested and results Criterion

- "MATAKE_MODI_AV " and criterion in formula associated For the results with the node and $N206$ the mesh (not $M60$ Gauss 3) option COURBE_GRD_VIE=' WOHLER" and L the option
COURBE_GRD_VIE = "FORM_VIE " and FORMULE_VIE = WHOL: Standard

identification	of reference component	Value of reference
formulates $x \ n_1 \ n_2$	" -0.382683432365 09	0.38268343236509 component
formulates $y \ n_1 \text{ AUTRE_ASTER } n_2$	" 0.9271838545667 9	0.92387953251129 component
formulates $z \ n_1 \text{ AUTRE_ASTER } n_2$	" 0.00000000000000	E+00 formulates
$ENDO(n_1)$	" 7.0532362250863	E-04 In

the table above, the components formulates $x \ y \ n_1 \ n_2$ values because there exist two vectors which correspond to the same value of damage formulates $ENDO(n_1) \ ENDO(n_2)$

COURBE_GRD_VIE= "FORM_VIE" and FORMULE_VIE = WHOL_F: Standard

identification	of reference component	Value of reference
of and x formulates $n_1 \ n_2$	" -0.382683432365 09	0.38268343236509 component
of and y formulates $n_1 \ n_2$	" 0.9271838545667 9	0.92387953251129 component
formulates $z \ n_1 \ n_2$	" 0.00000000000000	E+00 formulates
$ENDO(n_1)$	" 3.3180845213285	E-04 In

the table above, the components formulates x y n_1 n_2 values because there exist two vectors which correspond to the same value of damage formulates $ENDO(n_1)$ $ENDO(n_2)$

•“DANG_VAN_MODI_AV ” and criterion in formula associated For

the results with the node and *N206* the mesh (not *M60 Gauss 3*) option

COURBE_GRD_VIE='WOHLER' and option

COURBE_GRD_VIE='FORM_VIE" and FORMULE_VIE = WHOL: Standard

identification	of reference component	Value of reference
formulates x n_1 n_2	" -7.071067811865 5	E-01 7.0710678118655 E-01 component
formulates y n_1 n_2	" 7.0710678118655	E-01 component
formulates z n_1 n_2	" 0.00000000000000	E+00 formulates
$ENDO(n_1)$	" 1.3419917535855	E-04 In

the table above, the components formulates x y n_1 n_2 values because there exist two vectors which correspond to the same value of damage formulates $ENDO(n_1)$ $ENDO(n_2)$

COURBE_GRD_VIE= "FORM_VIE" and FORMULE_VIE = WHOL_F: Standard

identification	of reference component	Value of reference
formulates x n_1 n_2	" -7.071067811865 5	E-01 7.0710678118655 E-01 component
formulates y n_1 n_2	" 7.0710678118655	E-01 component
formulates z n_1 n_2	" 0.00000000000000	E+00 formulates
$ENDO(n_1)$	" 8.7960237413997	E-05 In

the table above, the components formulates x y n_1 n_2 values because there exist two vectors which correspond to the same value of damage formulates $ENDO(n_1)$ $ENDO(n_2)$

•“FATESOCI_MODI_AV ” and associated criterion in formula: For

the results with the node and *N1* the mesh (not *M60 Gauss 3*) option

COURBE_GRD_VIE='WOHLER' and option

COURBE_GRD_VIE='FORM_VIE" and FORMULE_VIE = MANCO1: Standard

identification	of reference component	Value of reference
formulates x n_1 n_2	" -0.430511096808 29	0.43051109680830 component

formulates $y \ n_1 \ n_2$	" 0.9025852843498 6	component
formulates $z \ n_1 \ n_2$	" 0 formulates	
$ENDO(n_1)$	" 0.1683057899752 7	In

the table above, the component formulates $x \ n_1 \ n_2$ values because there exist two vectors which correspond to the same value of damage formulates $ENDO(n_1) \ ENDO(n_2)$

COURBE_GRD_VIE= "FORM_VIE" and FORMULE_VIE = MANCO2: Standard

identification	of reference component	Value of reference
formulates $x \ n_1 \ n_2$	" -0.430511096808 29	0.43051109680830 component
formulates $y \ n_1 \ n_2$	" 0.9025852843498 6	component
formulates $z \ n_1 \ n_2$	" 6.1232339957368	E-17 formulates
$ENDO(n_1)$	" 0.6153933466993 8	In

the table above, the component formulates $x \ n_1 \ n_2$ values because there exist two vectors which correspond to the same value of damage formulates $ENDO(n_1) \ ENDO(n_2)$

5 C Characteristic

5.1 of the modelization the criterion

in formula makes it possible to find associated criteria "MATAKE_MODI_AC" and "DANG_VAN_MODI_AV" and of the criterion in formula for the loading multiaxial. Characteristics

5.2 of the mesh The mesh

is identical to that of modelization A. Grandeurs

5.3 tested and results For

periodic loading: For

the results with the mesh (not *M60 Gauss 3*) for the option COURBE_GRD_VIE = "WOHLER " and for the option COURBE_GRD_VIE = "FORM_VIE " and FORMULE_VIE = WHOL: Standard

identification	of reference Value of reference	"NON_REGRESSION
$\Delta \tau(n_1)$	" 1. 330171	E + 02 component
of " x NON_REGRESSION n_1	" 6.972459	E – 02 component
of " y NON_REGRESSION n_1	" 9.969556	E – 01 component
of " z NON_REGRESSION n_1	" – 3.489950	E – 02 "NON_REGRESSION
$N_{\max}(n_1)$	" 2.357226	E+00 "NON_REGRESSION
$N_m(n_1)$	" 2.220625	E – 14 "NON_REGRESSION
$\varepsilon_{\max}(n_1)$	" 0.000000	E + 00 "NON_REGRESSION
$\varepsilon_m(n_1)$	" – 3.627373	E – 05 "NON_REGRESSION
$\sigma_{eq}(n_1)$	" 2.348841	E+02 "NON_REGRESSION
$Nb_{cr}(n_1)$	" 2.583800	E+04 "NON_REGRESSION
$ENDO(n_1)$	" 3.870305	E – 05 "NON_REGRESSION
$\Delta \tau(n_2)$	" 1.330158	E + 02 component
of " x NON_REGRESSION n_2	" – 9.901402	E – 01 component
of " y NON_REGRESSION n_2	" 6.906669	E – 02 component

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

of " z NON_REGRESSION n_2	" 1.218693	E - 01 "NON_REGRESSION
$N_{\max}(n_2)$	" 1.264927	E+02 "NON_REGRESSION
$N_m(n_2)$	" 1.581158	E +0 1 "NON_REGRESSION
$\varepsilon_{\max}(n_2)$	" 6.474850	E - 04 "NON_REGRESSION
$\varepsilon_m(n_2)$	" 8.093563	E - 05 "NON_REGRESSION
$\sigma_{eq}(n_2)$	" 3.892627	E+02 "NON_REGRESSION
$Nb_{cr}(n_2)$	" 3.323100	E+04 "NON_REGRESSION
$ENDO(n_2)$	" 3.009210	E - 05 For

the results with the mesh (not **M60 Gauss 3**) for the option COURBE_GRD_VIE = "FORM_VIE " and FORMULE_VIE = WHOL_F: Standard

identification	of reference Value of reference	"NON_REGRESSION
$\Delta \tau(n_1)$	" 1. 330171	E + 02 component
of " x NON_REGRESSION n_1	" 6.972459	E - 02 component
of " y NON_REGRESSION n_1	" 9.969556	E - 01 component
of " z NON_REGRESSION n_1	" - 3.489950	E - 02 "NON_REGRESSION
$N_{\max}(n_1)$	" 2.357226	E+00 "NON_REGRESSION
$N_m(n_1)$	" 2.220625	E - 14 "NON_REGRESSION
$\varepsilon_{\max}(n_1)$	" 0.000000	E + 00 "NON_REGRESSION
$\varepsilon_m(n_1)$	" - 3.627373	E - 05 "NON_REGRESSION
$\sigma_{eq}(n_1)$	" 2.348841	E+02 "NON_REGRESSION
$Nb_{cr}(n_1)$	" 5.1477	E+04 "NON_REGRESSION
$ENDO(n_1)$	" 1.9426163934314	E-05 "NON_REGRESSION
$\Delta \tau(n_2)$	" 1.330158	E + 02 component
of " x NON_REGRESSION n_2	" - 9.901402	E - 01 component
of " y	" 6.906669	E - 02 component

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

NON_REGRESSION n_2		
of " z NON_REGRESSION n_2	" 1.218693	E - 01 "NON_REGRESSION
$N_{\max}(n_2)$	" 1.264927	E+02 "NON_REGRESSION
$N_m(n_2)$	" 1.581158	E +0 1 "NON_REGRESSION
$\varepsilon_{\max}(n_2)$	" 6.474850	E - 04 "NON_REGRESSION
$\varepsilon_m(n_2)$	" 8.093563	E - 05 "NON_REGRESSION
$\sigma_{eq}(n_2)$	" 3.892627	E+02 "NON_REGRESSION
$Nb_{cr}(n_2)$	" 5.1477	E+04 "NON_REGRESSION
$ENDO(n_2)$	" 1.9426163934314	E-05 For

the results with node for the option **N214** COURBE _GRD_VIE=' WOHLER' and for the option COURBE_GRD_VIE = "FORM_VIE " and FORMULE_VIE = WHOL: Standard

identification	of reference Value of reference	"NON_REGRESSION
$\Delta\tau(n_1)$	" 1.1557902030140	E+02 component
of " x NON_REGRESSION n_1	" 3.8280107156988	E-01 component
of " y NON_REGRESSION n_1	" 8.4447216637038	E-01 component
of " z NON_REGRESSION n_1	" 3.7460659341591	E-01 "NON_REGRESSION
$N_{\max}(n_1)$	" 7.3701737537055	E+01 "NON_REGRESSION
$N_m(n_1)$	" -6.6290480086559	E+00 "NON_REGRESSION
$\varepsilon_{\max}(n_1)$	" 0. "NON_REGRESSION	
$\varepsilon_m(n_1)$	" -4.2254262706848	E-05 "NON_REGRESSION
$\sigma_{eq}(n_1)$	" 2.8392113675768	E+02 "NON_REGRESSION
$Nb_{cr}(n_1)$	" 1.3505000000000	E+04 "NON_REGRESSION
$ENDO(n_1)$	" 7.4047664409136	E-05 "NON_REGRESSION
$\Delta\tau(n_2)$	" 1.1520977056656	E+02 component
of " x	" -9.1924333354254	E-01 component

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

NON_REGRESSION n_2		
of " y NON_REGRESSION n_2	" 3.9019564505737	E-01 component
of " z NON_REGRESSION n_2	" 5.2335956242944	E-02 "NON_REGRESSION
$N_{\max}(n_2)$	" 1.1296755026397	E+02 "NON_REGRESSION
$N_m(n_2)$	" 6.8110853707598	E+00 "NON_REGRESSION
$\varepsilon_{\max}(n_2)$	" 3.6085283407484	E-04 "NON_REGRESSION
$\varepsilon_m(n_2)$	" 4.5106604259354	E-05 "NON_REGRESSION
$\sigma_{eq}(n_2)$	" 3.4226598124581	E+02 "NON_REGRESSION
$Nb_{cr}(n_2)$	" 4.8720000000000	E+03 "NON_REGRESSION
$ENDO(n_2)$	" 2.0525129321838	E-04 For

the results with node for the option **N214 COURBE** _GRD_VIE=' FORMES_VIE' and FORMULE_VIE = WHOL_F: Standard

identification	of reference Value of reference	"NON_REGRESSION
$\Delta\tau(n_1)$	" 1.1557902030140	E+02 component
of " x NON_REGRESSION n_1	" 3.8280107156988	E-01 component
of " y NON_REGRESSION n_1	" 8.4447216637038	E-01 component
of " z NON_REGRESSION n_1	" 3.7460659341591	E-01 "NON_REGRESSION
$N_{\max}(n_1)$	" 7.3701737537055	E+01 "NON_REGRESSION
$N_m(n_1)$	" -6.6290480086559	E+00 "NON_REGRESSION
$\varepsilon_{\max}(n_1)$	" 0. "NON_REGRESSION	
$\varepsilon_m(n_1)$	" -4.2254262706848	E-05 "NON_REGRESSION
$\sigma_{eq}(n_1)$	" 2.8392113675768	E+02 "NON_REGRESSION
$Nb_{cr}(n_1)$	" 2.0270	E+04 "NON_REGRESSION
$ENDO(n_1)$	" 4.933357265479	E-05 "NON_REGRESSION

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

$\Delta \tau(n_2)$	" 1.1520977056656	E+02 component
of " x NON_REGRESSION n_2	" -9.1924333354254	E-01 component
of " y NON_REGRESSION n_2	" 3.9019564505737	E-01 component
of " z NON_REGRESSION n_2	" 5.2335956242944	E-02 "NON_REGRESSION
$N_{\max}(n_2)$	" 1.1296755026397	E+02 "NON_REGRESSION
$N_m(n_2)$	" 6.8110853707598	E+00 "NON_REGRESSION
$\varepsilon_{\max}(n_2)$	" 3.6085283407484	E-04 "NON_REGRESSION
$\varepsilon_m(n_2)$	" 4.5106604259354	E-05 "NON_REGRESSION
$\sigma_{eq}(n_2)$	" 3.4226598124581	E+02 "NON_REGRESSION
$Nb_{cr}(n_2)$	" 1.01240	E+04 "NON_REGRESSION
$ENDO(n_2)$	" 9.8775850589871	E-05 For

loading NON-periodical: For

the results with node for the option **N214 COURBE** _GRD_VIE=' WOHLER' and for the option **COURBE** _GRD_VIE=' FORMES_VIE' and FORMULE_VIE = WHOL: Standard

identification	of reference component	Value of reference
of " x NON_REGRESSION n_1	" 3.8280107156988	E-01 component
of " y NON_REGRESSION n_1	" 8.4447216637038	E-01 component
of " z NON_REGRESSION n_1	" 3.7460659341591	E-01 "NON_REGRESSION
$ENDO(n_1)$	" 9.2779623136707	E-05 For

the results to the node and **N206** the mesh (not **M60 Gauss 3**) for the option **COURBE** _GRD_VIE="FORM_VIE" and FORMULE_VIE = WHOL_F: Standard

identification	of reference component	Value of reference
of " x NON_REGRESSION n_1	" 3.8280107156988	E-01 component

of “ y NON_REGRESSION n_1	” 8.4447216637038	E-01 component
of “ z NON_REGRESSION n_1	” 3.7460659341591	E-01 “NON_REGRESSION
$ENDO(n_1)$	” 6.1692384350833	E-05 Modelization

6 D Characteristic

6.1 of the modelization the functionalities

tested are new quantities (which are not part of the criteria existing already tested in the other modelizations). Only the option CRITERE = ' FORMULE_CRITERE' of the command CALC_TIRES and the curve of life called by name "WOHLER" are used. It is noted

that the behavior is elastoplastic and the loading is uniaxial and periodic. Characteristics

6.2 of the mesh The mesh

is identical to that of modelization A. Grandeurs

6.3 tested and results For

the results with the node formulates *NI* the mesh formulates *M60*

identification	of reference Value of reference	"DEPSPE
" "ANALYTIQUE	" 7.5E-	4 "EPSPR
1" "ANALYTIQUE	" 7.625	E-4 "SIGNM
1" "ANALYTIQUE	" 200 "	200
" "ANALYTIQUE	" 66.6666	"DENDIS
" "ANALYTIQUE	" 0.45	"DENDIE
" "ANALYTIQUE	" 0.173333	"DSIGEQ
" "ANALYTIQUE	" 200 "	200
1" "ANALYTIQUE	" 1.75E	- 3 "INVA
2S" "ANALYTIQUE	" 1.616666	E-3 "DSITRE
" "ANALYTIQUE	" 50 "DEPTRE	50
" "ANALYTIQUE	" 6.0625	E-4 "DEPTRE
" "ANALYTIQUE	" 3.67423	E-3 Modelization

7 E Characteristic

7.1 of the modelization the functionalities

tested are new quantities. It is noted that the behavior is elastoplastic and the loading is biaxial and NON-periodical. Characteristics

7.2 of the mesh The mesh

is identical to that of modelization A. Grandeurs

7.3 tested and results the value of reference

corresponds to damage (ENDO1) and the results were obtained with the node **formulates** the mesh **formulates** *M60* the formula of Basquin: Standard

NI

identification	of reference Value of reference	Criteria
"ANALYTIQUE		
$\frac{ SIPR1 - SIPR2 }{2}$	" 1.0707149	E-03 "ANALYTIQUE
$\frac{ SITN1 - SITN2 }{2}$	" 1.0707149	E-03 "ANALYTIQUE
$\frac{SIPN1 - SIPN2}{2}$	" 1.0707149	E-03 "ANALYTIQUE
$\frac{SIGEQ1 - SIGEQ2}{2}$	" 4.287285	E-03 the value of reference

NI always corresponds to damage (ENDO 1) and the results were obtained with the node **formulates** the mesh **formulates** *M60* an interpolation of the curve of Wöhler: Standard

identification	of reference Value of reference	Criteria
formulates		
$\frac{ SIPR1 - SIPR2 }{2}$	" 1.9212572	E-03 formulates
$\frac{ SITN1 - SITN2 }{2}$	" 1.9212572	E-03 formulates
$\frac{SIPN1 - SIPN2}{2}$	" 1.9212572	E-03 formulates
$\frac{SIGEQ1 - SIGEQ2}{2}$	" 5.8175699	E-03 Modelization

8 F Characteristic

8.1 of the modelization the functionalities

tested are new quantities. It is noted that various behaviors and loading are tested: elastic, biaxial and elastoplastic, uniaxial NON-periodical then and NON-periodical. Characteristics

8.2 of the mesh The mesh

is identical to that of modelization A. Grandeurs

8.3 tested and results Result

- got with first loading (SOL_NL) : The value of reference corresponds to damage (ENDO 1) and the results were obtained with the node and NI the mesh via M60 the formula of Basquin: Standard

identification	of reference Value of reference	Criteria
formulates		
$\frac{ EPSN1 - EPSN2 }{2}$	" 1.08363973	E-05 formulates
$\frac{ ETPR1 - ETPR2 }{2}$	" 1.0 8363973	E-0 5 formulates
$\frac{ ETEQ1 - ETEQ2 }{2}$	" 1.06338423	E-05 the value of reference

always corresponds to damage (ENDO 1) and the results were obtained with the node formulates NI the mesh formulates M60 an interpolation of the curve of Wöhler: Standard

identification	of reference Value of reference	Criteria
formulates		
$\frac{ EPSN1 - EPSN2 }{2}$	" 3.26558686	E-05 formulates
$\frac{ ETPR1 - ETPR2 }{2}$	" 3.26558686	E-05 formulates
$\frac{ ETEQ1 - ETEQ2 }{2}$	" 3.21404432	E-05 Result

- obtained with the second loading (SOIL _NL 2) : The value of reference corresponds to damage (ENDO 1) and the results were obtained with the node **formulates** NI the mesh **formulates** M60 the formula of Basquin: Standard

identification	of reference Value of reference	Criteria
formulates		
$\frac{ EPSN1 - EPSN2 }{2}$	" 1.449229	E-04 formulates
$\frac{ ETPR1 - ETPR2 }{2}$	" 1.449229	E-04 formulates
$\frac{ ETEQ1 - ETEQ2 }{2}$	" 6.5320499	E-05 the value of reference

- always corresponds to damage (ENDO 1) and the results were obtained with the node **formulates** NI the mesh **formulates** M60 an interpolation of the curve of Wöhler: Standard

identification	of reference Value of reference	Criteria
formulates		
$\frac{ EPSN1 - EPSN2 }{2}$	" 2.408735	E-04 formulates
$\frac{ ETPR1 - ETPR2 }{2}$	" 2.408735	E-04 formulates
$\frac{ ETEQ1 - ETEQ2 }{2}$	" 1.322816	E-04 Result

- obtained with the third loading (SOIL _NL 3) : The value of reference corresponds to damage (ENDO 1) and the results were obtained with the node **formulates** NI the mesh **formulates** M60 the formula of Basquin: Standard

identification	of reference Value of reference	Criteria
formulates		
$\frac{ EPPR1 - EPPR2 }{2}$	" 1.377855	E-02 the value of reference

- always corresponds to damage (ENDO 1) and the results were obtained with the node **formulates** NI the mesh **formulates** M60 an interpolation of the curve of Wöhler: Standard

identification	of reference Value of reference	Criteria
"ANALYTIQUE		
$\frac{ EPPR1 - EPPR2 }{2}$	" 2.1858445	E-03 Modelization

9 G Characteristic

9.1 of the modelization the functionalities

tested are new quantities. It is noted that various behaviors and loading are tested: an elastic material and an elastoplastic material. Characteristics

9.2 of the mesh The mesh

is identical to that of modelization A. Grandeurs

9.3 tested and Criteria results

- of DANG_VAN_MODI_AC , MATAKE_MODI_AC , DANG_VAN_MODI_AV For the results of formula ϕ_z formulates NI an elastic material. Value

of the Type α	of reference Value of reference	-1,
-0.5,0..10 "ANALYTIQUE	" 45 For	45

the results of formula ϕ_z formulates NI an elastoplastic material. Standard

value of α	of reference Value of reference	
0,1,2,3,4 "ANALYTIQUE	" 45 Criterion	45

- of MATAKE_MODI_AV value

of the Type α	of reference Value of reference	-1
"ANALYTIQUE	" 45 -	45
"ANALYTIQUE	" 45,72	45.72
	" 46,43	46.43
0.5	" 47,14	47.14
1	" 47,86	47.86
1.5	" 48,56	48.56
2	" 49,27	49.27
2.5	" 49,96	49.96
3	" 50,65	50.65
3.5	" 51,34	51.34
4	" 52,02	52.02
4.5	" 52,69	52.69
5	" 53,35	53.35
5.5	" 54 6	54

6	" 54,65	54.65
6.5	" 55,28	55.28
7	" 55,9	55.9
7.5	" 56,51	56.51
8	" 57,11	57.11
8.5	" 57,7	57.7
9	" 58,28	58.28
9.5	" 58,85	58.85
10	" 59,41	59.41

the results of formula ϕ_z formulate NI an elastoplastic material. Value

of formulated α	reference Value of reference	0 "ANALYTIQUE
	" 46,43	46.43
1	" 47,86	47.86
2	" 49,27	49.27
3	" 50,65	50.65
4	" 52,02	52.02

• of FATESOCI_MODI_AV For

the results of formula ϕ_z formulates NI an elastic material. Value

of 0.5 α	Standard reference	Value of reference
-1 "	ANALYTIQUE" 45	45
"ANALYTIQUE	" 45,34	45.34
	" 45,67	45.67
0.5	" 45,99	45.99
1	" 46,31	46.31
1.5	" 46,61	46.61
2	" 46,91	46.91
2.5	" 47,2	47.2
3	" 47,48	47.48
3.5	" 47,75	47.75
4	" 48,01	48.01
4.5	" 48,27	48.27
5	" 48,51	48.51
5.5	" 48,75	48.75
6	" 48,98	48.98

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

6.5	" 49,2	49.2
7	" 49,42	49.42
7.5	" 49,63	49.63
8	" 49,83	49.83
8.5	" 50,03	50.03
9	" 50,22	50.22
9.5	" 50,4	50.4
10	" 50,58	50.58

the results of formula ϕ_z formulate NI an elastoplastic material. Value

of formulated α	reference Value of reference	0 "ANALYTIQUE
	" 45,67	45.67
1	" 46,31	46.31
2	" 46,91	46.91
3	" 47,48	47.48
4	" 48,01	48.01

10 of the results the got

results are in perfect agreement with the reference solution for modelization A. The modelization B does not have reference solutions associated with the criteria. The modelization C does not have reference solution, it acts of a test of non regression. The results

of the modelizations D, E, F and G agree with the analytical results.