

MFRON03 – Test of the Code_Aster-MFront *interface* for models with orthotropy

Summarized:

This test validates definite behaviors orthotropic using *MFront* by comparison with behavior similar of *Code_Aster*.

Modelization a: this modelization makes it possible to validate the model elastic orthotropic by comparison with test *SSNV225C* on a material point.

Modelization b: this modelization makes it possible to the model validate single-crystal élasto-visco-plastic with implicit integration, by comparison with the model MONOCRISTAL of the test *zmat007a* on an aggregate with 10 grains.

Modelization C: this modelization makes it possible to the model validate single-crystal élasto-visco-plastic with implicit integration, and complete definition of the family of sliding systems and the matrix of interaction, by comparison with the model MONOCRISTAL of the test *zmat007a* on an aggregate with 10 grains.

1 Problem of reference

1.1 Geometry

the geometry of the modelization A is identical to that of test SSLV113A.

The geometry of the modelization B is identical to that of test ZMAT007A (aggregate with 10 grains).

1.2 Properties of the materials

the coefficients of the Mfront behavior are, for modelization a:

<i>C1</i>	11000	E_L
<i>C2</i>	5000	E_T
<i>C5</i>	8000	E_N
<i>C6</i>	0,396	NU_LT
<i>C7</i>	0,11	NU_TN
<i>C8</i>	0,15	NU_LN
<i>C9</i>	10500	G_LT
<i>C10</i>	13000	G_TN
<i>C11</i>	7000	G_LN

the Mfront file defining the orthotropic elastic behavior is:

```
@Parser Implicit;

@Behavior elasorth;

@Algorithm NewtonRaphson_NumericalJacobian;

@OrthotropicBehaviour;
@RequireStiffnessTensor;

@Theta 1. ;
@AuxiliaryStateVariable real seq;

@TangentOperator {
  Dt = D;
}

@ComputeStress {
  sig = D*eel;
}

@Integrator {
  feel += - deto;
}

@UpdateAuxiliaryStateVars {
  seq = sqrt (sig|sig);
}
```

The Mfront file defining the single-crystal behavior of CFC type with isotropic elasticity (modelization B) is:

```
@Parser Implicit;
@Behavior monocrystal;
@Algorithm NewtonRaphson_NumericalJacobian;
@OrthotropicBehaviour;
@IsotropicElasticBehaviour;
@RequireStiffnessTensor;
@Theta 1. ;
@Epsilon 1.e-8;
@IterMax 100;
@MaterialProperty stress Young;
@MaterialProperty real nu;
@MaterialProperty real m;
@MaterialProperty real K;
@MaterialProperty real C;
@MaterialProperty real R0;
@MaterialProperty real Q;
@MaterialProperty real B;
@MaterialProperty real d1;
@Includes {
#include "TFEL/Material/Lame.hxx" #include
"TFEL/Material/MetallicCFCslidingSystems.hxx" #include
"TFEL/Material/MetallicCFCGenericSlidingSystemsInteractionMatrix.hxx"} @Link {
"-
lTFELMaterialSingleCristals"}; @StateVariable
strain G [12]; @ AuxiliaryStateVariable
real p [12]; @AuxiliaryStateVariable
real has [12]; @LocalVariable
average real; @LocalVariable
real driven; @Parameter
h1, H2, h3, h4, h5, h6; h1.setDefaultValue
(1.); h2.setDefaultValue
(0.); h3.setDefaultValue
(0.); h4.setDefaultValue
(0.); h5.setDefaultValue
(0.); h6.setDefaultValue
(0.); /* Initialize
Blade coefficients * @InitLocalVars
{using namespace
tfel:: material:: blade; lambda =
computeLambda (Young, nu); driven = computeMu
(Young, nu); } @TangentOperator

{using namespace
tfel:: material:: blade; StiffnessTensor
Hooke; Stensor4
I; computeElasticStiffness
<N, Type>:: exe (Hooke, lambda, driven); getPartialJacobianInvert
(I); Dt = Hooke
*Je; } @ComputeStress

{sig = (average
*trace (eel) *Stensor:: Id () +2*mu*eel); } @Integrator

{typedef
MetallicCFCslidingSystems<N> CFCslidingSystems; typedef
```

```
    MetallicCFCSGenericSlidingSystemsInteractionMatrix InteractionMatrix; const
CFCSlidingSystems
    & ss = CFCSlidingSystems:: getMetallicCFCSlidingSystems (); const tmatrix
<12,12, double>& H = InteractionMatrix
:: getInteractionMatrix (h1, H2, h3, h4, h5, h6); StrainStensor
vepsp (real (0)); real tau
[12]; real vp [
12]; real goes [
12]; real Ag [
12]; real tma
[12]; real tmR
[12]; real RP [
12]; real EP [
12]; for (unsigned
shorts i=0; I! =12; ++i) {Ag [I] =
    ab (dg [I]); EP [I] =
    Q* (1. - exp (- b* (p [I] +ag [I]))) ; } for (unsigned

shorts i=0; I! =12; ++i) {const stensor
<N>& driven = ss.mus [I]; RP [I] = R0
; for (unsigned
shorts j=0; J! =12; ++j) {RP [I] +=h (I
    , J) *pe [I]; } tau [I] =
driven
| sig; goes [I] = (dg
[I] - d1 *a [I] *ag [I])/(1.+d1*ag [I]); tma [I] = tau
[I] - C* (goes [I] +a [I]); ; tmR [I] = ab
(tma [I]) - RP [I]; yew (tmR [I] >
0.) {real sgn=tma
[I] /abs (tma [I]); vp [I] = dt
*sgn*pow ((tmR [I] /K), m); } else {vp [
I]
=0.; }
vepsp+=vp
[I]
] *mus; } feel += veps

- deto; for (unsigned
shorts i=0; I! =12; ++i) {fg [I] - = vp
[I]; } } @UpdateAuxiliaryStateVars

{for (unsigned
shorts i=0; I! =12; ++i) {p [I] +=abs (dg
[I]); [I] += (dg [I]
has - d1*a [I] *p [I])/(1.+d1*p [I]); }} the Mfront
```

files defining the single-crystal behavior with elasticity orthotropic (modelization C) and definition of the family of sliding systems and the matrix of interaction are: @Parser Implicit

```
; @ Behavior
monocrystal; @Algorithm
NewtonRaphson_NumericalJacobian; @OrthotropicBehaviour
; @RequireStiffnessTensor
; @Theta 1. ;
@Epsilon 1.
e-8; @IterMax 100
; @MaterialProperty
real ind; @MaterialProperty
```

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

```
real m; @MaterialProperty
real K; @MaterialProperty
real C; @MaterialProperty
real R0; @MaterialProperty
real Q; @MaterialProperty
real B; @MaterialProperty
real H; @MaterialProperty
real d1; @StateVariable
strain G [12]; @AuxiliaryStateVariable
real p [12]; @AuxiliaryStateVariable
real has [12]; @Includes {
#include "TFEL
/FSAlgorithm/copy.hxx"} @TangentOperator

{Stensor4 I; getPartialJacobianInvert

(I); Dt = D*Je; } @
Importation "CFCGlidingSystems.mfront

"; @Import "CFCInteractionMatrix.mfront
"; @ComputeStress {sig
= D*eel; } @Integrator
{StrainStensor

vepsp (
real (0)); real tau [12]; real vp
[12]; real goes
[12]; real Ag
[12]; real tma
[12]; real tmR
[12]; real RP
[12]; real EP
[12]; //sliding systems

for (unsigned shorts I
=0; I!=12; ++i) {Ag [I] = ab (dg [I]);
EP [I] = Q* (1. - exp (- B
* (p [I] +ag [I]))) ; } for (unsigned shorts
I
=0; I!=12; ++i) {RP [I] = R0; for (unsigned
shorts J
=0; J!=12; ++j) {RP [I] +=mh (I, J) *pe [I
]; } tau [I] = driven [I] |
sig
; goes [I] = (dg [I] - d1*a
[I] *ag [ I])/(1.+d1*ag [I]); tma [I] = tau [I] - C* (goes
[I] +a [I]); tmR [I] = ab (tma [I])
- RP [I]; yew (tmR [I] >0.) {real
sgn=tma [I] /abs (
tma [I]); vp [I] = dt*sgn*pow (
(tmR [I] /K), m); } else {vp [I] =0.; }
vepsp
+=vp
[I] *mus [I
]
; } feel += vepsp-deto
;
for (unsigned shorts I
=0; I!=12; ++i) {fg [I] - = vp [I]; }
```

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```
} @UpdateAuxiliaryStateVars
```

```
{for (unsigned shorts I  
=0; I! =12; ++i) {p [I] +=abs (dg [I]); [I  
] += (dg [I] has - d1*a [I]  
*p [I])/(1.+d1*p [I]); }} the family of sliding systems
```

and the matrix of interaction are defined by @LocalVariable tfel:

```
: maths:: tvector<12, StrainStensor> driven; @InitLocalVariables {  
const real coefm=1.0  
/sqrt (2.); const real coefn=1.0  
/sqrt (3.); const real nx [12] = {  
1.0,1.0, 1.0, 1.0,1.0,1.0, - 1.0, - 1.0, - 1.0, - 1.0, - 1.0, - 1.0}; const real  
ny [12] = {  
1.0,1.0, 1.0, - 1.0, - 1.0, - 1.0, 1.0,1.0,1.0, - 1.0, - 1.0, - 1.0}; const real  
nz [12] = {  
1.0,1.0, 1.0, 1.0,1.0,1.0,1.0,1.0,1.0,1.0,1.0,1.0}; const real MX [12] = {-  
1.0,0.0, - 1.0, - 1.0, 0.0, 1.0, 0.0,1.0, 1.0, - 1.0, 1.0, 0.0}; const real my  
[12] = {  
0.0, - 1.0, 1.0,0.0,1.0, 1.0, - 1.0, 1.0, 0.0, 1.0,0.0, 1.0}; const real mz [12]  
= {  
1.0,1.0,0.0,1.0,1.0, 0.0, 1.0,0.0, 1.0, 0.0,1.0, 1.0}; for (unsigned shorts I  
=0; I! =12; ++i) {tvector<3, real> NS (real  
(0)); tvector<3, real> ms (real  
(0)); stensor<3, real> driven;  
NS [0] =nx [I] *coefn; NS  
[1] =ny [I] *coefn; NS  
[2] =nz [I] *coefn; ms  
[0] =mx [I] *coefm; ms  
[1] =my [I] *coefm; ms  
[2] =mz [I] *coefm; driven  
[0] =ns [0] *ms [0]; driven  
[1] =ns [1] *ms [1]; driven  
[2] =ns [2] *ms [2]; driven  
[3] = (NS [0] *ms [1] +ns  
[1] *ms [0]) *0.5*sqrt (2); driven [4] = (NS [0] *ms [2] +ns  
[2] *ms [0]) *0.5*sqrt (2); driven [5] = (NS [1] *ms [2] +ns  
[2] *ms [1]) *0.5*sqrt (2); tfel:: fsalgo:: copy<StensorSize  
>:: exe (mu.begin (), driven [I] .begin ()); }} //  
! interaction matrix
```

```
@LocalVariable tfel:: maths  
:: tmatrix<12,12, real> mh; @InitLocalVariables {const  
real h1 = 1. ; const  
real H2 = 0. ; const  
real h3 = 0. ; const  
real h4 = 0. ; const  
real h5 = 0. ; const  
real h6 = 0. ; for  
(unsigned shorts i=0;  
I! =12; ++i) {mh (I, I) =h1; } mh (1,0) =mh  
(0,1) =h2; mh  
(  
2,0) =mh (0,2) =h2; mh (  
2,1) =mh (1,2) =h2; mh (  
3,0) =mh (0,3) =h4; mh (  

```

3,1) =mh (1,3) =h5; mh (
3,2) =mh (2,3) =h5; mh (
4,0) =mh (0,4) =h5; mh (
4,1) =mh (1,4) =h3; mh (
4,2) =mh (2,4) =h6; mh (
4,3) =mh (3,4) =h2; mh (
5,0) =mh (0,5) =h5; mh (
5,1) =mh (1,5) =h6; mh (
5,2) =mh (2,5) =h3; mh (
5,3) =mh (3,5) =h2; mh (
5,4) =mh (4,5) =h2; mh (
6,0) =mh (0,6) =h5; mh (
6,1) =mh (1,6) =h4; mh (
6,2) =mh (2,6) =h5; mh (
6,3) =mh (3,6) =h6; mh (
6,4) =mh (4,6) =h3; mh (
6,5) =mh (5,6) =h5; mh (
7,0) =mh (0,7) =h6; mh (
7,1) =mh (1,7) =h5; mh (
7,2) =mh (2,7) =h3; mh (
7,3) =mh (3,7) =h5; mh (
7,4) =mh (4,7) =h5; mh (
7,5) =mh (5,7) =h4; mh (
7,6) =mh (6,7) =h2; mh (
8,0) =mh (0,8) =h3; mh (
8,1) =mh (1,8) =h5; mh (
8,2) =mh (2,8) =h6; mh (
8,3) =mh (3,8) =h3; mh (
8,4) =mh (4,8) =h6; mh (
8,5) =mh (5,8) =h5; mh (
8,6) =mh (6,8) =h2; mh (
8,7) =mh (7,8) =h2; mh (
9,0) =mh (0,9) =h5; mh (
9,1) =mh (1,9) =h5; mh (
9,2) =mh (2,9) =h4; mh (
9,3) =mh (3,9) =h6; mh (
9,4) =mh (4,9) =h5; mh (
9,5) =mh (5,9) =h3; mh (
9,6) =mh (6,9) =h6; mh (
9,7) =mh (7,9) =h3; mh (
9,8) =mh (8,9) =h5; mh (
10,0) =mh (0,10) =h3; mh (
10,1) =mh (1,10) =h6; mh (
10,2) =mh (2,10) =h5; mh (
10,3) =mh (3,10) =h3; mh (
10,4) =mh (4,10) =h5; mh (
10,5) =mh (5,10) =h6; mh (
10,6) =mh (6,10) =h5; mh (
10,7) =mh (7,10) =h5; mh (
10,8) =mh (8,10) =h4; mh (
10,9) =mh (9,10) =h2; mh (
11,0) =mh (0,11) =h6; mh (
11,1) =mh (1,11) =h3; mh (
11,2) =mh (2,11) =h5; mh (
11,3) =mh (3,11) =h5; mh (
11,4) =mh (4,11) =h4; mh (
11,5) =mh (5,11) =h5; mh (
11,6) =mh (6,11) =h3; mh (
11,7) =mh (7,11) =h6; mh (

```
(11,8) =mh (8,11) =h5; mh  
(11,9) =mh (9,11) =h2; mh  
(11,10) =mh (10,11) =h2;  
} Boundary conditions
```

1.3 and loadings the loadings for

the modelizations A and B are identical to tests SSLV131A and ZMAT007A. Reference solution

2 Values of the stresses

, strains and local variables, by intercomparison with tests SSLV131A and ZMAT007A. Modelization A
Characteristic

3 of

3.1 the modelization Modelization 3D, identical

to SSLV131A. Quantities tested and Comparison

3.2 results with SSLV131

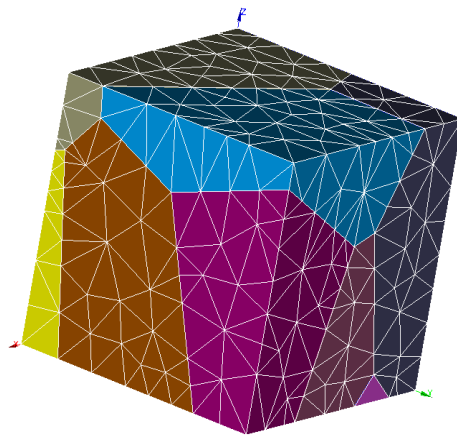
A Identification Reference

Tolerance	% field of	displacemen t 21
1.E-5 field EPSI_ELGA		
$dy(c)$		3 1.E-
5 4 1.E - 5 6 1.E-5		
<i>EPXY</i>	field	
<i>EPXZ</i>	SIEF_ELGA	
<i>EPYZ</i>		601.8754
1.E- 5 80053.665		
<i>SIXX</i>	1.E-5	78596.607
<i>SIYY</i>	1.E-5	83948.263
<i>SIZZ</i>	1.E-5	17339.093
<i>SIXY</i>	1.E-5	126571.71
<i>SIXZ</i>	1.E-5	
	Modelizatio n	
<i>SIYZ</i>	B	
	Characterist ic	

4 of

4.1 the modelization the geometry is that

of an aggregate with 10 grains generated by a procedure python based on cells of Voronoï. One to impose defines planes of cut in edges the boundary conditions. Quantities tested and Comparison



4.2 results with ZMAT007

A. Comparaison of the results

got with Code_Aster with formula of total 0.3% . Identification reference

	Tolerance	% formulates	SIEF_ELGA -16.112
σ_{xx}	formula of	EPSI_ELGA	-1,0250
ε_{xx}	03 0,01 formula	of EPSI_ELGA	-9.3714
ε_{yy}	04 0,01 formula	of EPSP_ELGA	-2
ε_{yy}	E-04 0,01	C Characteristic	
Modelization			

5 of

5.1 the modelization It is identical to that

of the modelization B. Quantities tested and Comparison

5.2 results with ZMAT007

A. Comparaison of the results

got with Code_Aster with formula of total 0.3% . Identification reference

	Tolerance	% formulates	SIEF_ELGA -16.112
σ_{xx}	formula of	EPSI_ELGA	-1,0250
ε_{xx}	03 0,01 formula	of EPSI_ELGA	-9.3714
ε_{yy}	04 0,01 formula	of EPSP_ELGA	-2
ε_{yy}	E-04 0,01	Summary	of the results

6 the results is satisfactory

and validates the interface between Code_Aster and MFRONT in 3D, for behaviors with orthotropy.

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