

## UMAT001 – Test of the Code\_Aster-Umat interface in linear thermoelasticity

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### Summarized:

One carries out, on a linear thermoelastic problem, a comparison between *Code\_Aster-Umat* and *Code-Aster* with behavior `ELAS`. This test makes it possible to validate the interface Aster-Umat, in particular the good taking into account of thermal thermal expansions.

The modelization *A* the interface in `AXIS` validates.

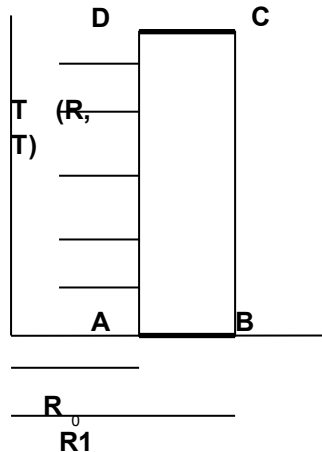
The modelization *B* the interface in large deformations validates (`DEFORMATION = ' GDEF_LOG'`)

The modelization *C* validates validates the interface in `AXIS`. with command variables.

## 1 Problem of reference

### 1.1 Geometry

It acts of a hollow roll, similar to that treated in SSNA106.



$$\begin{aligned} R_0 &= 1 \text{ m} \\ R_1 &= 2 \text{ m} \end{aligned}$$

### 1.2 Properties of the materials

#### 1.2.1 Given Umat

elasticity is translated, for the Umat behavior present as example in the sources of Code\_Aster, by:

$$C1 = \lambda = \frac{E \nu}{(1 + \nu)(1 - 2\nu)}$$

$$C2 = \mu = \frac{E}{2(1 + \nu)}$$

$$C3 = C4 = C5 = 0$$

#### 1.2.2 Aster data

Modulus Young:  $E = 1 \text{ MPa}$

Poisson's ratio:  $\nu = 0.3$

Coefficient of thermal expansion:  $\alpha = 0.7$

### 1.3 Boundary conditions and loadings

#### Boundary conditions:

The cylinder is blocked in  $DY$  on the sides  $[AB]$  and  $[CD]$ .

Loading:

The cylinder is subjected to a field of temperature  $T(r, t) = t r^2$

## 2 Reference solution

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One makes an intercomparison between the results got with behavior `ELAS` and those obtained with the Umat behavior.

## 3 Modelization A

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### 3.1 Characteristic of the modelization

the problem is modelled in axisymetry: `AXIS`.

### 3.2 Characteristics of the mesh

The mesh comprises 200 meshes type `QUAD4`.

### 3.3 Quantities tested and Comparison

results between the results got and model `ELAS` with those obtained with model `UMAT`.

Standard	identification of reference	reference (Code_Aster, model ELAS)	Tolerance ( % )
$\sigma_{yy}$ of SIEF_ELGA	"ANALYTIQUE"	-0.3658	0.10
$DX(B)$	"ANALYTIQUE"	1.092	0.10

## 4 Modelization B

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### 4.1 Characteristic of the modelization

the loadings and material are identical to those of the modelization `A`.

Only exchange the model of large deformations: one compares here `SIMO_MIEHE` with a behavior `VMIS_ISOT_LINE` (simulating an elastic behavior, via a high elastic limit) and a behavior `UMAT` (elastic also) with `GDEF_LOG`.

### 4.2 Characteristics of the mesh

The mesh is identical to that of the modelization `A` : 200 elements of the type `QUAD4`.

### 4.3 Quantities tested and Comparison

results between the results got and model `SIMO_MIEHE` with those obtained with `GDEF_LOG`.

Standard	identification of reference	reference (Code_Aster, SIMO_MIEHE)	Tolerance ( % )
$\sigma_{yy}$ of SIEF_ELGA	"AUTRE_ASTER"	-0.029	10.0
$DX(B)$	"AUTRE_ASTER"	0.103	7.9

## 5 Modelization C

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the loadings and material are identical to those of the modelization *A* .

Only the command variables change: one uses here `SECH` besides the temperature and one chooses for coefficient of thermal expansion half of that used in modelization A. One assigns also this value to the coefficient of thermal expansion due to drying.

"Thermal" thermal expansion will be thus made up of half of pure thermal thermal expansion and another half of strain due to drying. The results must be identical to those of modelization A.

### 5.1 Caractéristiques of the modelization

the problem is modelled in axisymetry: `AXIS` .

### 5.2 Characteristics of the mesh

The mesh comprises 200 meshes type `QUAD4` .

### 5.3 Quantities tested and Comparison

results between the results got and model `ELAS` with those obtained with model `UMAT` .

Standard	identification of reference	reference (Code_Aster, model ELAS)	Tolerance ( % )
$\sigma_{yy}$ SIEF_ELGA	"ANALYTIQUE"	-0.3658	0.10
$DX(B)$	"ANALYTIQUE"	1.092	0.10

### 5.4 Remarks

the results from the two models of large deformations (`SIMO_MIEHE` and `GDEF_LOG`) are also tested in `NON_REGRESSION` with 0.1% .

## 6 Summary of the results

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the got results are in perfect agreement between *Code\_Aster-Umat* and *Code\_Aster*.

The two models of large deformations (`SIMO_MIEHE` and `GDEF_LOG` give different results (8 with 9% difference) what is explained by the difference in formulation in elasticity (one being very-elastic and the other hypo-elastic). This test shows in fact the possibility of using UMAT in large deformations.